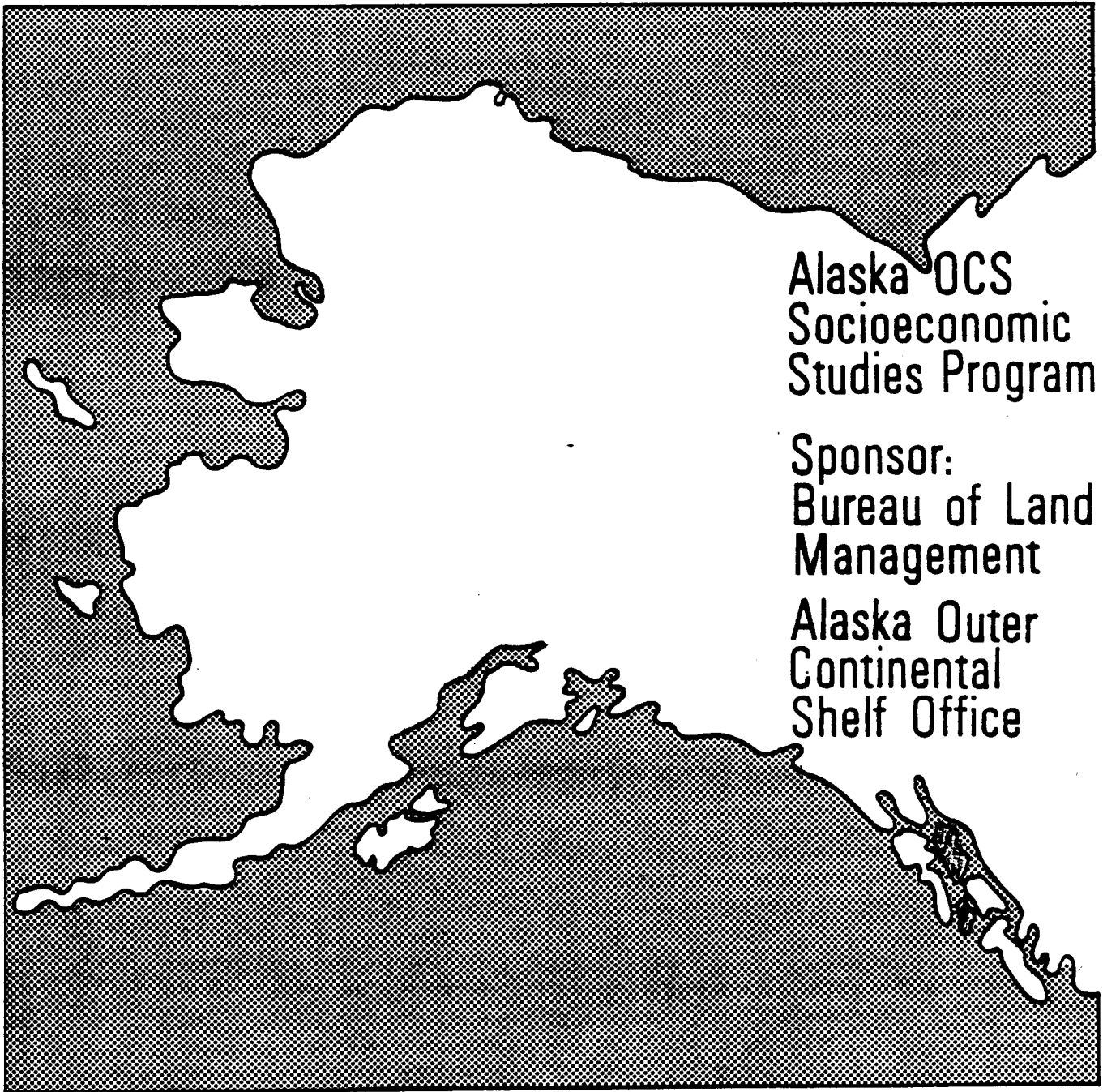


**Special Report  
Number 4**



**"Small Community Population Impact Model"**

The United States Department of the Interior was designated by the Outer Continental Shelf (OCS) Lands Act of 1953 to carry out the majority of the Act's provisions for administering the mineral leasing and development of offshore areas of the United States under federal jurisdiction. Within the Department, the Bureau of Land Management (BLM) has the responsibility to meet requirements of the National Environmental Policy Act of 1969 (NEPA) as well as other legislation and regulations dealing with the effects of offshore development. In Alaska, unique cultural differences and climatic conditions create a need for developing additional socioeconomic and environmental information to improve OCS decision making at all governmental levels. In fulfillment of its federal responsibilities and with an awareness of these additional information needs, the BLM has initiated several investigative programs, one of which is the Alaska OCS Socioeconomic Studies Program (SESP).

The Alaska OCS Socioeconomic Studies Program is a multi-year research effort which attempts to predict and evaluate the effects of Alaska OCS Petroleum Development upon the physical, social, and economic environments within the state. The overall methodology is divided into three broad research components. The first component identifies an alternative set of assumptions regarding the location, the nature, and the timing of future petroleum events and related activities. In this component, the program takes into account the particular needs of the petroleum industry and projects the human, technological, economic, and environmental offshore and onshore development requirements of the regional petroleum industry.

The second component focuses on data gathering that identifies those quantifiable and qualifiable facts by which OCS-induced changes can be assessed. The critical community and regional components are identified and evaluated. Current endogenous and exogenous sources of change and functional organization among different sectors of community and regional life are analyzed. Susceptible community relationships, values, activities, and processes also are included.

The third research component focuses on an evaluation of the changes that could occur due to the potential oil and gas development. Impact evaluation concentrates on an analysis of the impacts at the statewide, regional, and local level.

In general, program products are sequentially arranged in accordance with BLM's proposed OCS lease sale schedule, so that information is timely to decisionmaking. Reports are available through the National Technical Information Service, and the BLM has a limited number of copies available through the Alaska OCS Office. Inquiries for information should be directed to: Program Coordinator (COAR), Socioeconomic Studies Program, Alaska OCS Office, P. O. Box 1159, Anchorage, Alaska 99510.

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ALASKA OCS SOCIOECONOMIC STUDIES PROGRAM  
SMALL COMMUNITY POPULATION IMPACT MODEL

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ALASKA OCS SOCIOECONOMIC STUDIES PROGRAM  
SMALL COMMUNITY POPULATION IMPACT MODEL

PREPARED FOR  
BUREAU OF LAND MANAGEMENT  
ALASKA OUTER CONTINENTAL SHELF OFFICE

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## I. INTRODUCTION

As part of the Alaska OCS Socioeconomic Studies Program, the Institute of Social and Economic Research has developed a model which can be used to project the impact of OCS development on small Alaska communities or regions. This model's development was documented in the OCS Technical Report Number 24, Design of a Population Distribution Model. The model has been used on a number of occasions to forecast small-area population growth. It has been used to estimate the effect on the census divisions of OCS development in the Northern and Western Gulf of Alaska. These forecasts were used in the preparation of the Environmental Impact Statements for OCS lease sales number 46 and number 55.

This paper describes an extension of this previous modeling effort. The extension is along two major lines suggested by the application of the model. First, changes to the structure of the model were made. The original model produced reasonable results; this was judged both examination of a historic case and the model's response to changes in parameter values. The model, however, was cumbersome to use and did not produce estimates of all of the information required by the OCS office. Changes in the structure of the model have made it easier to use and have produced projections of the larger amount of information required by the OCS office.

The second extension of the population distribution model involved an examination of some of the important model parameters. Sensitivity

tests performed when the model was applied to the Kenai oil boom experience showed the results of the model to be highly sensitive to parameter assumptions. Two of the most important parameters are the local labor market response rates (the rate at which local labor responds to exogenous employment opportunities) and the multiplier (the rate at which local employment increases to serve the exogenous sector). Since the model is simply an accounting framework which describes the process of growth, the values of these parameters determine the growth projected for the region. The most accurate method of estimating these parameters would involve survey research in the specific area of study. Time and financial constraints often do not allow this effort. For these reasons, a framework for estimating these parameters should be developed. Part of this study begins the development of such a framework; the work is based on specific Alaskan research, as well as research in other areas. It attempts to establish ranges for the selection of the parameters.

Projections of the future can be used by policy makers to determine future demands and needs for services or to examine the effects of alternative policy choices. The model described below can be used for both purposes. It can be used to assess the future need for services in small Alaskan communities, as well as to examine the impact of OCS development under alternative assumptions.

Like all projections, those produced by this model are probabilistic. The structure of the model may not capture all of the important relationships; the parameters may not accurately reflect future structural change;

and the assumed growth of the exogenous variables may not take place. All of these affect the likelihood of any one forecast's actually occurring, but they do not limit the usefulness of the model to decision makers. The range of possible futures can be examined by testing the sensitivity of any results to important parameters. The sensitivity of a forecast can be tested by examining the effect on the results of changing these parameters.

This report describes a small community impact model (SCIMP) which can be used to describe the population and employment impacts of OCS development. Section II describes the model itself; this section highlights the major changes introduced in this research. The third section provides an idea of the range of values which the important parameters can take. Section IV provides an example of the model in use; the model is used to examine the impact of OCS development in the Bering Sea-Norton Sound on Nome. The sensitivity of the model to various assumptions is examined.



## II. SCIMP: A SMALL COMMUNITY IMPACT MODEL FOR ALASKA COMMUNITIES

### Introduction

Service bases used in Alaska OCS development will, in most cases, be located in or near small, rural Alaska communities. The undeveloped, remote nature of Alaska coastal communities in major lease sale areas guarantees this. The employment associated with OCS development is, in all cases, large relative to the size of these coastal communities. The in-migration into these small communities as a result of OCS development will be one of the major impacts of OCS activity. Both the social and economic character of these communities may be changed by this population in-migration. The need to assess the population impacts of OCS development was the original reason for the development of a population impact model.

This section describes the most recent version of the small community impact model. Emphasis is placed on explaining the population dynamics described by the model. The model description will highlight changes from the original version of the model (Huskey, Serow, Volin, 1979).

The present version of the model maintains the most significant features of the original. Changes which have been made reflect both the application of the original model in specific analysis of the impacts of proposed OCS lease sales (Nebesky and Huskey, 1979; and Porter and Huskey, 1979) and discussions with the Alaska OCS office about required information for

these impact analyses. The present model is similar to the original in its logical structure. It is an economic-demographic interaction model which stresses the link between the local labor supply and in-migration. It is also an accounting model with the flexibility of parameter choice which is required for application in alternative areas of rural Alaska. The most significant changes have been made to the baseline sector; these changes make this sector easier to project and more accurately describe the population dynamics.

The present model projects growth in four separate sectors--the baseline sector, the development sector, the operations sector, and the secondary sector. In each of these sectors, the model projects separately the major demographic events--births, deaths, and migration--which determine population change. Population is projected for each period of the projection cycle by adding changes in these demographic events to the previous period population. Although these are separate sectors, they are linked through labor supply and demand considerations in each sector. The remainder of Section II describes each sector of the model.

#### The Baseline Population

The population which would reside in the community in the absence of OCS development is the baseline population. Changes in the level of this population are important to the analysis of OCS impact for two reasons. First, the relative impact of OCS development will depend on the size of the affected community. A given size OCS development will have a smaller relative effect the larger the community serving as its base. Secondly,

the level of baseline population is important as a source of labor supply for OCS employment.

The community will experience population change in the absence of OCS development. Population will change as a result of three demographic events--births, deaths, and migration. The excess of births over deaths determines the natural change in the population. Births and deaths are a function of the age and sex distribution of the population. Migration into and out of the community also affects the population levels. Migration is affected by changes in the employment opportunities and the amenities in the community. The model describes each of these determinants of population change.

A cohort survival approach is used to model the growth of the baseline population. Natural increase is projected by applying age-sex-race-specific fertility and survival rates to the appropriate cohort population. Once these rates are determined, the levels of births and deaths are determined by the population in a specific cohort. Application of these rates to the previous period population provides a projection of the survived population at the end of the period. Survival and fertility rates are assumed to remain constant throughout the projection period.

Community population levels will also be affected by the level of in- and out-migration. The model accounts for two types of migration: migration determined by employment opportunities and noneconomic migration. Noneconomic migration is modeled by applying age-sex-race-specific migration

rates to the survived population; these rates are assumed to remain constant throughout the projection period. Migration rates define the net migration as a function of the cohort-specific survived population. Noneconomic migration includes such types of migration as moving for school or migration connected with retirement.

One of the major improvements in the current model involves the addition of a description of the baseline sector economy. Growth of employment opportunities and the baseline labor force determine the level and direction of economic migration. The labor force in the baseline is determined by applying age-sex-race-specific labor force participation rates to the specific cohorts. The size of the labor force is determined by the size and distribution of population by cohorts; labor force participation rates are assumed to remain constant throughout the projection period.

An economic base model of the local economy is used to project total employment. Economic base models assume a major distinction can be made between basic industries in which the level of activity is determined outside the region and nonbasic or support industries which exist to provide goods and services to the local community. In an economic base model, once the level of basic employment is determined, the level of support sector employment is determined by a series of multipliers which describe the relationship between the two sectors. The model describes four basic sectors (manufacturing-fishing, state and federal government, mining and special projects construction, and military) and two support



sectors (local construction-transportation and finance-trade-services). In addition, the model projects the level of local government employment as a function of population and revenue. The model requires assumptions about the level of exogenous employment by sector and local government revenues and produces estimates of total and support sector employment.

Migration occurs to clear the local labor market; in-migration occurs when employment opportunities exceed the labor force, and out-migration occurs in the opposite case. When economic migration occurs, migration may be in excess of the amount needed to bring labor force and employment into equilibrium; the model allows two additional types of migration. One source of additional migration may be migrants who come to the community because of the employment opportunities but do not find employment. The model allows migration to occur until some equilibrium level of unemployment is reached or some proportion of this level is reached. The second source of additional migration includes the dependents of economic migrants. An age-sex-race distribution is applied to the number of direct migrants which distributes both direct migrants and their dependents to age-sex-race cohorts.

The model projects total population by adding the economic-induced migrants to the survived population, the noneconomic migrants, and the military/dependent population. Population is disaggregated into those not in the labor force, those in the labor force but unemployed, and those employed.

The baseline portion of the model is described below. The following convention will be observed in defining the cohorts for population variables:  $X(A,S,R)$  where  $X$  is the variable,  $A$  is the age cohort,  $S$  is the sex cohort, and  $R$  is the race cohort.

## BASELINE POPULATION

### Survived Population and Noneconomic Migration

1.  $BBTH(1,S,R) = SXR(1,S,R) * \left[ \sum_{A=1}^{14} FR(A,2,R) * BPOP(A,2,R) (-1) \right]$
2.  $BP(A,S,R) = SR(A,S,R) * BPOP(A,S,R) (-1)$
3.  $BSPP(1,S,R) = [ BBTH(1,S,R) + F(1) * BP(1,S,R) ] * MR(1,S,R)$
4.  $BSPP(A,S,R) = [ (1-F(A-1)) * BP(A-1,S,R) + F(A) * BP(A,S,R) ] * MR(A,S,R)$
5.  $BSPP(14,S,R) = [ (1-F(13)) * BP(13,S,R) + BP(14,S,R) ]$

### Baseline Economy

6.  $LF = \sum_A \sum_S \sum_R LFPR(A,S,R) * BSPP(A,S,R)$
7.  $EML = L0 + L1 * BPOP(-1) + L2 * REV$
8.  $EMS = M10 + M11 * EMG + M12 * EMA + M13 * EMX + M14 * EMM$
9.  $EMC = M20 + M21 * EMG + M22 * EMA + M23 * EMX + M24 * EMM$
10.  $TE = EML + EMS + EMC + EMG + EMA + EMX$

### Economic Migration

11.  $UNE = LF - TE$
12.  $BEMG = \left( \frac{TE}{1 - U\theta} - LF \right) * B2$
13.  $BPOP(A,S,R) = \text{IF } BEMG \text{ LE } \emptyset \text{ THEN } BSPP(A,S,R) + C1(A,S,R) * BEMG$   
 $\text{ELSE } BSPP(A,S,R) + C2(A,S,R) * BEMG$

### Total Baseline Population

14.  $BPOPP = \sum_A \sum_S \sum_R BPOP(A,S,R)$
15.  $BASP(A,S,R) = BPOP(A,S,R) + EMM * C3(A,S,R)$
16.  $BASPP = \sum_A \sum_S \sum_R BASP(A,S,R)$
17.  $NLF = BPOP - (LF + BEMG)$
18.  $U = LF + BEMG - TE$
19.  $TOTE = TE + EMM$

#### Required Inputs:

$SXR(1,S,R)$  = Distribution of sex at birth by race.

$FR(A,2,R)$  = Age and race-specific fertility rates which measure births per woman in each age-race cohort.

$SR(A,S,R)$  = Age, sex, and race specific survival rates which describe the probability that a member of a specific cohort survives over the period.

$MR(A,S,R)$  = Age, sex, and race specific migration rates which define cohort specific net migration as a proportion of the cohort population.

- $F(A)$  = The age-specific advancement rate. This rate defines the proportion of the population which advances to the next cohort; it is greater than zero when the cohort contains more years than the projection cycle.
- $LFPR(A,S,R)$  = Age, sex, and race specific labor force participation rate which describes the proportion of each cohort which is in the labor force.
- $L0, L1, L2$  = Local government employment multipliers which describe the relation between the specific variable and local government employment.
- $REV$  = The level of exogenous revenue to the local government; requires assumed level for every year in the projection period.
- $M10, M11, M12, M13, M14, M20, M21, M22, M23, M24$  = Basic-nonbasic multipliers which describe the increase in the specific nonbasic industry employment with an increase of one employee in the specific basic sector.
- $EMG$  = State and federal government employment; requires assumed level for each year of the projection period.
- $EMA$  = Employment in fisheries and manufacturing; requires assumption for each year of the projection period.
- $EMX$  = Employment in mining and special projects construction; requires assumption for each year of the projection period.
- $EMM$  = Military employment; requires assumption for each year of the projection period.
- $U0$  = Equilibrium unemployment rate.
- $B2$  = Parameter of adjustment.
- $C1(A,S,R), C2(A,S,R)$  = Migrant and dependent age-sex-race distributions which describe the number of direct and dependent migrants per direct migrant in each cohort. Distributions differ for out- and in-migration.
- $C3(A,S,R)$  = Military and dependent age-sex-race distribution.

## Model Outputs

BBTH(A,S,R) = Births by age, sex, and race.

BSPP(A,S,R) = Age-sex-race specific survived civilian population which is adjusted for noneconomic migration.

LF = Baseline labor force.

EML = Baseline local government employment.

EMS = Baseline employment in finance, trade, and services.

EMC = Baseline employment in local construction and transportation.

TE = Total baseline employment.

BEMG = Economic baseline migrants.

BPOP(A,S,R) = Baseline civilian population by age, race, and sex which includes economic migrants.

BPOPP = Total baseline civilian population.

BASP(A,S,R) = Age-race-sex specific total population which includes military.

BASPP = Total baseline population.

NLF = Population not in the labor force.

U = Unemployed population.

TOTE = Total civilian and military population.

Note: Excludes definition of those variables only used internally by the model.

### The Development Sector

This version of the community impact model describes OCS induced population growth in three sectors: development, operations, and secondary. The distinction between the two direct sectors--development and operations--is necessary because of assumed differences in demographic characteristics and tenure of the associated in-migrants. In all sectors, the major determinants of migration are the same; in-migration occurs so that the local labor market clears. In-migrants in the development phase are assumed to reside in the community for only a short time, which reflects the temporary nature of their employment. Because of this, they are assumed to bring fewer dependents than in the operations phase.

The major determinant of OCS in-migration in the development phase is demand for labor to work in the development phase of the project. Local residents supply labor to the project, but any excess labor demand must be met through in-migration of workers. Project labor demand is assumed to have two components: imported labor demand and local labor demand. It is assumed that a portion of the labor will be imported from outside the community because of special skills which are required and not found in the local community or because of previous contact of the employees with the contractor, which includes management and supervisory personnel. It is assumed that the remainder of the OCS development jobs could be filled by community residents. The model requires information on OCS development employment in each component of demand.

Local labor supplied to the project is a function of the size of the community and the willingness of the local population to take OCS jobs. The model describes the willingness of local labor to take OCS jobs by assumed labor response rates which describe the proportion of population supplying labor to the project. The response of the community population to OCS employment opportunities is assumed to vary across mutually exclusive components of the population--employed, unemployed, and not in the labor force.

In-migration of direct development workers occurs to fill the gap between local labor supply and the local labor demand. In-migration equals the total imported development employment plus the migrants required to fill the gap between local labor demand and supply. The level of direct development migration determines the associated dependent migration, which determines the total population effect of the development sector. The model uses a series of age-sex-race specific multipliers to project the number of in-migrant dependents as well as the age-sex-race distribution of the direct in-migrants. These multipliers describe the number of dependents and employees in each age-sex-race cohort per direct migrant.

Two additional assumptions about the location of direct migrants are required before the total population impact on the community can be determined. First, the number of workers in the OCS enclave are determined. Enclave development is typical of Alaska resource development in remote areas and involves the location of employees in camps where

all services are provided. Enclave workers are assumed to bring no dependents. Secondly, direct in-migrants are adjusted to subtract out those who may commute from outside the community. This is not very likely in most remote areas of the state where there are no alternative places in commuting range. Assumed rates of enclave and residency are required by the model.

The final step in the development phase is to adjust each labor supply group (employed, unemployed, not in the labor force) by reducing them by the members who have taken OCS development jobs. The labor supplied from each group forms a pool of labor. It is assumed that labor is drawn directly from this pool without recognition of the labor supply group, so the number of local employees is subtracted from each labor supply group in proportion to the total supply.

The product of this sector of the model is an age-sex-race profile of the impact population for each year of the projection period. This process is repeated for each year in which development occurs; implicitly, this assumes migrants leave after each year. The model also produces estimates of the total direct employed migrants as well as the migrants in the enclave.



## DEVELOPMENT PHASE

### Employment Induced Migration

1.  $LS1 = P1 * TE + P2 * U + P3 * NLF$
2.  $DMP = DDL + DIMPT$
3.  $D1 = DDL - LS1$
4.  $D2 = IF D1 LE 0 THEN 0 ELSE D1$
5.  $DEMG = D2 + DIMPT$
6.  $DEME = E1 * DEMG$
7.  $DEMR = G1 * (DEMG - DEME)$

### Population

8.  $Dem(A,S,R) = (DEMR + DEME) * DE(A,S,R)$
9.  $DDM(A,S,R) = DEMR * DD(A,S,R)$
10.  $DPOP(A,S,R) = DEM(A,S,R) + DDM(A,S,R)$
11.  $DPOPP = \sum_A \sum_S \sum_R DPOP(A,S,R)$

### Adjust Local Labor Supply

12.  $TE1 = IF D1 GE 0 THEN TE * (1-P1) ELSE TE * (1-P1 * (DDL/LS1))$
13.  $U1 = IF D1 GE 0 THEN U * (1-P2) ELSE U * (1-P2 * (DDL/LS1))$
14.  $NLF1 = IF D1 GE 0 THEN NLF * (1-P3) ELSE NLF * (1-P3 * (DDL/LS1))$

### Required Inputs

P1,P2,P3 = Labor response rate which describes the proportion of the specific population group which will supply labor to the OCS development sector.

DDL = Project development demand for local labor; requires yearly assumptions.

DIMPT = Project development demand for imported labor; requires yearly assumptions.

E1 = Proportion of in-migrant development workers in an OCS enclave.

G1 = Proportion of OCS nonenclave in-migrants residing in the community.

DD(A,S,R) = Age-sex-race distribution of in-migrant dependents which describes the number of dependents per direct migrant in each cohort.

DE(A,S,R) = Age-sex-race distribution of in-migrant employees.

### Outputs

LS1 = Local labor supplied to the development sector.

DEMP = Total OCS development sector employment.

DEMG = Total direct development employee migration.

DEME = Development sector enclave employment.

DEMR = Development sector nonenclave community residents.

DEM(A,S,R) = Age-sex-race specific direct employee migrant population.

DDM(A,S,R) = Age-sex-race specific dependent migrant population.

DPOP(A,S,R) = Age-sex-race specific total OCS development impact population which includes enclave and resident population.

DPOPP = Total OCS development impact population.

TE1,U1,NLF1 = Components of labor status groups adjusted for local residents taking OCS development sector jobs.

Note: Excludes definitions of those variables only used internally by the model.

### The Operations Sector

Tenure characteristics are the main difference between jobs in the development and operations sectors of an OCS project. Operations employment is assumed to be long term and permanent, in contrast to the temporary nature of development employment. Because of the long-term nature of this employment and the assumed stability of population which this brings, new in-migrants cannot be assumed to fill OCS jobs each period. The migrant population assumes a permanence in the community and the social, demographic, and economic considerations which alter the composition of this population over time must be considered. The OCS operations sector-induced population is subject to turnover and out-migration as well as to fertility and mortality.

In-migration is determined by the model in much the same manner as in the development phase. Project operations demand is determined exogenously in both its imported and local components. This local project labor demand is matched with local labor supplied to the operations phase of OCS activity to determine the in-migration required to fill the gap between local labor demand and labor supply. Local labor supplied to the operations sector is determined by the assumed labor response rates for each local labor status group. Total direct in-migration is that required to clear the local labor market plus the imported operations employment. In-migrant operations employment is adjusted for enclave and nonlocal residents in the same way as development employment. Resident, nonenclave employed migrants are assumed to bring dependents at rates determined by assumed dependent-to-employee distributions.

The long-term, permanent nature of operations employment opportunities and the stability of the population introduces an additional source of labor supply in any year--the direct OCS operations employees from the previous period. Migrant operations employees from the previous year are subject to mortality and turnover which reduces the labor supplied the project from this group. Mortality is described by an assumed series of age-sex-race specific survival rates as in the baseline sector. Rates describing the proportion of employees in any age-race-sex specific cohort remaining in the community after one year are used to describe turnover and adjust survived population by out-migrants. Those workers who remain from the previous period are allocated among the local and imported labor and enclave, nonenclave resident, and nonresident employees. These remaining operations employees are a source of labor supply for the operations sector (the labor response rate of this group is one). Because of the existing source of migrant labor, the model only calculates changes in the migrant population. The existing migrant labor is assumed to be the first choice to fill OCS operations jobs. When the existing migrant operations labor supply exceeds operations employment demand, as a result of a reduction in the employment levels, out-migration occurs. Once the level of local employment in operations is projected, each labor status group is adjusted to reflect this employment.

Dependent migration follows the pattern established by employment-related migration. The previous year's dependent migrant population is subject to mortality, out-migration, and fertility. These are all described by age-sex-race specific rates. Migration of dependents is assumed to be

determined by the migration of the employed population. The change in dependent migrant population is determined by the change in the number of operations sector employed migrants in any year. Age-sex-race specific dependents per employee multipliers are used to project the dependent population in each cohort.

The model produces projections of the total impact population by age, race, and sex for each year of the projection period. Projections also include the total employed migrants and the location of this employment in enclaves and in the community.

#### OPERATIONS SECTOR

##### Survived Population

$$1. \text{OEP}(A,S,R) = \text{SR}(A,S,R) * \text{OEM}(A,S,R)(-1)$$

$$2. \text{ODP}(A,S,R) = \text{SR}(A,S,R) * \text{ODM}(A,S,R)(-1)$$

$$3. \text{OBTH}(1,S,R) = \text{SXR}(1,S,R) * \left[ \sum_{A=1}^{14} \text{FR}(A,2,R) * \text{ODM}(A,2,R)(-1) \right]$$

$$4. \text{OSEP}(A,S,R) = [ (1-F(A-1)) * \text{OEP}(A-1,S,R) + F(A) * \text{OEP}(A,S,R) ] * \text{TO}(A,S,R)$$

$$5. \text{ODSP}(1,S,R) = [ \text{OBTH}(1,S,R) + F(1) * \text{ODP}(1,S,R) ] * \text{TD}(1,S,R)$$

$$6. \text{OSDP}(A,S,R) = [ (1-F(A-1)) * \text{ODP}(A-1,S,R) + F(A) * \text{ODP}(A,S,R) ] * \text{TD}(A,S,R)$$

$$7. \text{OSDP}(14,S,R) = [ (1-F(13)) * \text{ODP}(13,S,R) + \text{ODP}(14,S,R) ] * \text{TD}(14,S,R)$$

### Employment-Induced Migration

8.  $OSEPP = \sum_A \sum_S \sum_R OSEP(A,S,R)$
9.  $Z1 = \text{IF } TOEM(-1) \text{ GT } \emptyset \text{ THEN } (OSEPP/TOEM(-1)) \text{ ELSE } \emptyset$
10.  $OSEN R = Z1 * OENR(-1) - \text{nonresident}$
11.  $OSEPT = OSEPP + OSEN R$
12.  $OEMP = ODL + OIMPT$
13.  $LS2 = P4 * TE1 + PS * U1 + PL * NLF1$
14.  $OSL = OSEPT - Z1 * OIMPT(-1)$
15.  $O1 = ODL - OSL$
16.  $O2 = O1 - LS2$
17.  $NOEMG = \text{IF } O1 \text{ LT } \emptyset \text{ THEN } O1 + (OIMPT - Z1 * OIMPT(-1))$   
 $\text{ELSE } (\text{IF } O2 \text{ LT } \emptyset \text{ THEN } (OIMPT - Z1 * OIMPT(-1)))$   
 $\text{ELSE } (O2 + OIMPT - Z1 * OIMPT(-1)) )$
18.  $NOEME = E2 * NOEMG$
19.  $NOEMR = G2 * (NOEMG - NOEME)$
20.  $NOENR = NOEMG - NOEME - NOEMR$

### Population

21.  $N1(A,S,R) = \text{IF } OSEPP \text{ EQ } \emptyset \text{ THEN } \emptyset \text{ ELSE } (OSEP(A,S,R)/(OSEPP))$
22.  $OSDPP = \sum_A \sum_S \sum_R OSDP(A,S,R)$
23.  $N2(A,S,R) = \text{IF } OSDPP \text{ EQ } \emptyset \text{ THEN } \emptyset \text{ ELSE } (OSDP(A,S,R)/OSDPP)$

24.  $NOEM(A,S,R) = IF\ NOEMG\ LT\ \emptyset\ THEN\ (NOEME + NOEMR) * N1(A,S,R)$   
 $ELSE\ (NOEME + NOEMR) * OE(A,S,R)$
25.  $NODM(A,S,R) = IF\ NOEMG\ LT\ \emptyset\ THEN\ NOEMR * N2(A,S,R) * (OSDPP/OSEPP)$   
 $ELSE\ NOEMR * OD(A,S,R)$
26.  $OEM(A,S,R) = NOEM(A,S,R) + OSEP(A,S,R)$
27.  $ODM(A,S,R) = NODM(A,S,R) + OSDP(A,S,R)$
28.  $OPOP(A,S,R) = OEM(A,S,R) + ODM(A,S,R)$
29.  $OPOPP = \sum_A \sum_S \sum_R OPOP(A,S,R)$
30.  $TOEM = \sum_A \sum_S \sum_R OEM(A,S,R)$
31.  $OENR = NOENR + OSENR$
32.  $OEME = E2 * [ TOEM + OENR ]$

Adjust Local Labor Supply

33.  $TE2 = IF\ O1\ LE\ \emptyset\ THEN\ TE1\ ELSE\ (IF\ O2\ GE\ \emptyset\ THEN\ TE1 * (1-P4)$   
 $ELSE\ TE1 * (1-Pr * (O1/LS2)) )$
34.  $U2 = IF\ O1\ LE\ \emptyset\ THEN\ U1\ ELSE\ (IF\ O2\ GE\ \emptyset\ THEN\ U1 * (1-P5)$   
 $ELSE\ U1 * (1-P5 * (O1/LS2)) )$
35.  $NLF2 = IF\ O1\ LE\ \emptyset\ THEN\ NLF1\ ELSE\ (IF\ O2\ GE\ \emptyset\ THEN\ NLF1 * (1-P6)$   
 $ELSE\ NLF1 * (1-P6 * (O1/LS2)) )$

### Required Inputs

TO(A,S,R) = Age-sex-race specific turnover rates of operations sector migrant employment which describes remaining proportion of previous year migrants. In-migrant workers who leave operations employment through turnover are assumed to leave the community.

TD(A,S,R) = Age-sex-race specific turnover rates for dependent migrants.

ODL = Operations sector demand for local labor; requires yearly assumptions.

OIMPT = Operations sector demand for imported labor; requires yearly assumptions.

P4, P5, P6 = Labor response rates which describe the proportion of each respective population group which would supply labor to the operations sector of the OCS project.

E2 = Proportion of in-migrant operations workers in an OCS enclave.

G2 = Proportion of OCS nonenclave in-migrants residing in the community.

OE(A,S,R) = Age-sex-race distribution of in-migrant operations sector employees.

OD(A,S,R) = Age-sex-race distribution of in-migrant dependents which describes the number of dependents per direct migrant in each cohort.

### Model Outputs

LS2 = Local labor supplied to the operations sector.

OEMP = Total OCS operations sector employment.

NOEMG = The change in the level operations sector in-migrant employees.

OEM(A,S,R) = Age-sex-race specific distribution of operations sector in-migrant population.

ODM(A,S,R) = Age-sex-race specific distribution of operations sector dependent in-migration population.

OPOP(A,S,R) = Age-sex-race specific distribution of total operations sector impact population which includes enclave and resident population.



OPOPP = Total OCS operations impact population.

TOEM = Total OCS operations resident employment which includes enclave employment.

OEME = Operations sector enclave employment.

TE2,U2,NLF2 = Components of labor status groups adjusted for local residents taking OCS operations sector jobs.

Note: Excludes definition of those variables only used internally by the model.

### The Secondary Sector

The population impacts of OCS development are not limited to the direct effects of development and operations employment. Another important component of migration is that which responds to secondary employment opportunities. Increased OCS employment may result in an expansion of support sector employment opportunities in the community which may also lead to migration. This version of the model is distinguished by a separate secondary response sector which combines the secondary response to both OCS development and operations employment.

The model allows three sources of secondary employment expansion. The first is the increase in local government employment. Because much of rural Alaska has only limited local government, we cannot expect a proportional expansion. Local government employment will be affected by both the population increase and revenues which result from OCS development, such as increased property taxes from the location of service base or production facilities. The second source of secondary employment is the expansion of the local support sector employment to serve the additional

OCS employees and their dependents. This relationship is described in the model by a series of multipliers which are applied to the direct OCS employment to determine the level of necessary secondary employment. The multiplier describes the support sector employment per employee in the OCS sector. The model allows multipliers to differ between operations and development sectors and between enclave and nonenclave employment. The response of the secondary sector may be less to development activity since it is temporary and less to the enclave sector since it has little interaction with the community. The final component of the secondary employment response is the replacement of those community residents who took jobs on the OCS project.

Migration in the secondary sector is determined as in the other sectors; direct employee migration occurs to clear the local labor market and determines the level of dependent migration. The assumed levels of OCS employment and exogenous revenues determine, through assumed multipliers, the induced local government and support sector labor demand. The assumed local labor response to direct OCS employment opportunities determines the labor required to replace local labor which has taken OCS jobs.

The potential local labor supply for secondary employment is determined by assumed labor response rates. It is assumed that labor will be supplied from only the unemployed and not-in-the-labor-force sectors of the community population since employed residents will not be able to improve their economic position. There are two additional sources of labor supply assumed in the secondary sector, the in-migrant support

sector population from the previous year and the dependents of in-migrants in the operations and development sectors. As in the operations sector, secondary employee in-migrants are assumed to take long-term, permanent jobs and remain in the community from one period to the next. These migrants are subject to mortality and turnover, and the remaining migrants supply labor for secondary employment. Dependents of direct OCS employees are assumed to supply labor as determined by assumed labor force participation rates. Labor is assumed to be chosen for secondary employment-- first from local residents, secondly from the previous year's secondary employee migrant population, and finally from direct OCS dependents. Migration occurs in any year to fill excess labor demand. Migration may be negative if the locally supplied labor plus the previous year's migrants exceed the secondary labor demand.

Dependent migration is determined by a series of age-sex specific multipliers which describe the dependent population per secondary employee by cohort. Dependents of these migrants are subject to births, deaths, and out-migration.

A final component of the secondary response is the migration of individuals in response to OCS employment opportunities who do not find work and become unemployed migrants. As in the baseline sector, this migration is assumed to be a function of an equilibrium unemployment rate. Unemployed migrants are also assumed to bring dependents.

The model produces projections of the total population response from this sector by age, sex, and race cohorts. Projections of the increased secondary employment are also produced.

## SECONDARY RESPONSE

### Survived Population (includes turnover)

1.  $SEP(A,S,R) = SR(A,S,R) * SEM(A,S,R)(-1)$
2.  $SDP(A,S,R) = SR(A,S,R) * SDM(A,S,R)(-1)$
3.  $SBTH(1,S,R) = SXR(1,S,R) * \left[ \sum_{A=1}^{14} FR(A,2,R) * SDM(A,2,R)(-1) \right]$
- \*4.  $SSEP(A,S,R) = \left[ (1-F(A-1)) * SEP(A-1,S,R) + F(A) * SEP(A,S,R) \right] * TO(A,S,R)$
5.  $SSDP(1,S,R) = \left[ SBTH91,S,R) + F1 * SDP(1,S,R) \right] * TD(1,S,R)$
6.  $SSDP(A,S,R) = \left[ (1-F(A)) * SDP(A-1,S,R) + F(A) * SEP(A,S,R) \right] * TD(A,S,R)$
7.  $SSDP(14,S,R) = \left[ (1-F13) * SDP(13,S,R) + SDP(14,S,R) \right] * TD(14,S,R)$

### Employment-Induced Migration

8.  $SSEPP = \sum_A \sum_S \sum_R SSEP(A,S,R)$
9.  $DLS = \sum_A \sum_S \sum_R ( [ODM(A,S,R) + DOM(A,S,R)] * LFPR(A,S,R) )$

10.  $SEML = N11 * (OPOPP - OEME)(-1) + N12 * (DPOPP - DEME)(-1)$   
 $+ N13 * XREV(-1) + N14 * (SPOPP)(-1)$
11.  $SEMS = N15 * (OEMP - OEME) + N16 * (DEMP - DEME) + N17 * (OEME + DEME)$
12.  $SEMC = N18 * (OEMP - OEME) + N19 * (DEMP - DEME) + N20 * (OEME + DEME)$
13.  $STE = SEML + SEMS + SEMC + (TE - TE2)$
14.  $LS3 = P7 * U2 + P8 * NLF2$
15.  $S1 = STE - LS3$
16.  $S2 = S1 - SSEPP$
17.  $S3 = S2 - DLS$
18.  $NSEMG1 = IF S1 LT 0 THEN S1 ELSE (IF S2 LT 0 THEN S2$   
 $ELSE (IF S3 LT 0 THEN 0 ELSE S3))$
19.  $NSEMG = IF SSCPP + NSEMG1 LT 0 THEN -SSEPP ELSE NSEMG1$

### Population

20.  $SSDPP = \sum_A \sum_S \sum_R SSDP(A,S,R)$
21.  $R1(A,S,R) = IF SSEPP EQ 0 THEN 0 ELSE (SSEP(A,S,R)/SSEPP)$
22.  $R2(A,S,R) = IF SSDPP EQ 0 THEN 0 ELSE (SSDP(A,S,R)/SSDPP)$
23.  $NSEM(A,S,R) = IF NSEMG LT 0 THEN NSEMG * R1(A,S,R)$   
 $ELSE NSEMG * SD(A,S,R)$
24.  $NSDM(A,S,R) = IF NSEMG LT 0 THEN NSEMG * R2(A,S,R) * (SSDPP/SSEPP)$   
 $ELSE NSEMG * SD(A,S,R)$
25.  $SEM(A,S,R) = NSEM(A,S,R) + SSEP(A,S,R)$
26.  $SDM(A,S,R) = NSDM(A,S,R) + SSDP(A,S,R)$
27.  $SPOP(A,S,R) = SEM(A,S,R) + SDM(A,S,R)$

$$28. \text{ SPOPP} = \sum_A \sum_S \sum_R \text{ SPOP}(A,S,R)$$

$$29. \text{ SEMM} = \sum_A \sum_S \sum_R \text{ SEM}(A,S,R)$$

### Unemployed Migrants

$$30. \text{ U3} = \text{IF } S1 \text{ GE } \emptyset \text{ THEN } U2 * (1-P7) \text{ ELSE } U2 * (1-P7 * [\text{STE}/\text{LS3}])$$

$$31. \text{ NLF3} = \text{IF } S1 \text{ GE } \emptyset \text{ THEN } \text{NLF2} * (1-P8) \text{ ELSE } \text{NLF2} * (1-P8 * [\text{STE}/\text{LS3}])$$

$$32. \text{ UMG} = Y1 * [U\emptyset * (\text{LF} + \text{BEMG} + \text{NLF} - \text{NLF3}) - U3]$$

$$33. \text{ UM} = \text{UMG} + \text{UMG} * \text{UDEP}$$

### Required Inputs

N11,N12,N13,N14,N15,N16,N17,N18,N19,N20 = Basic-nonbasic multipliers which describe the increase in the industry employment with an increase in the level of the specific variable.

P7,P8 = Labor response rates which describe the proportion of each respective population group which would supply labor to the secondary sector.

SE(A,S,R) = Age-sex-race distribution of in-migrant secondary sector employees.

SD(A,S,R) = Age-sex-race distribution of in-migrant dependents which describes the number of dependents per direct migrant in each cohort.

XREV = Local government revenues produced by the OCS project.

UDEP = The number of dependents per unemployed migrant.

X2(A,S,R) = Age-sex-race distribution of in-migrant unemployed and dependent population which describes the number of unemployed and dependents per direct migrant in each cohort.

## Model Outputs

- SEML = Local government employment increase resulting from OCS development.
- SEMS = Increased employment in the local service, trade, and finance industries as a result of OCS development.
- SEMC = Increased employment in the local construction and transportation industries as a result of OCS development.
- DLS = Labor supplied by direct OCS employee dependents.
- LS3 = Local labor supplied to the operations sector.
- NSEMG = The change in the level of secondary sector in-migrant employees.
- SEM(A,S,R) = Age-sex-race specific distribution of secondary sector in-migrant employees.
- SDM(A,S,R) = Age-sex-race specific distribution of secondary sector dependent in-migrant population.
- SPOP(A,S,R) = Age-sex-race specific distribution of secondary sector impact population.
- SPOPP = Total OCS secondary sector impact population.
- SEMM = Total OCS secondary employed in-migrants.
- U3,NLF3 = Components of labor status groups adjusted for local residents taking OCS secondary sector jobs.
- UMG = Total unemployed migrants.
- UM = Total unemployed and dependent migration.

Note: Excludes definition of those variables used only internally by the model.

## Summation Sector

The final sector of the model provides summaries of important variables which result from the assumptions and relationships in the model. This sector provides projections of local residents employed in each sector

of the OCS activity--development, operations, and secondary--as well as the total level of local employment. It also projects total OCS population impact and total population. Total employment by industry is also projected. This sector also provides projections of total OCS employment and the enclave component of this employment. Table 1 describes the four output reports the model produces and the information contained in each.

#### SUMMATION

1.  $DLE = DEMP - DEMG$
2.  $OLE = OEMP - (TOEM + OENR)$
3.  $SLE = IF S1 \geq 0 THEN (STE - S1 - (TE-TE2)) ELSE (STE - (TE-TE2))$
4.  $TLE = DLE + OLE + SLE$
5.  $TOCSP = OPDPP + DPOPP + SPOPP + UM$
6.  $TOTPOT = BASPP + TOCSP$
7.  $TOTPP(A,S,R) = OPOP(A,S,R) + DPOP(A,S,R) + SPOP(A,S,R) + UM$   
 $\quad * X2(A,S,R) + BASP(A,S,R)$
8.  $TEML = EML + SEML$
9.  $TEMS = EMS + SEMS$
10.  $TEMC = EMC + SEMC$
11.  $TEMX = EMX + DEMP + OEMP$
12.  $TOCSE = DEMP + OEMP + STE - (TE-TE2)$
13.  $ENCL = DEME + OEME$



## Model Outputs

DLE = Local residents employed in the development sector.

OLE = Local residents employed in the operations sector.

SLE = Local residents employed in the secondary sector.

TLE = Total local residents employed in OCS sectors.

TOCSP = Total OCS impact population.

TOTPOP = Total population.

TOTPP(A,S,R) = Age-sex-race specific total population.

TEML = Total local government employment.

TEMS = Total service, finance, and trade employment.

TEMC = Total local construction and transportation employment.

TEMX = Total mining and special project construction employment  
(includes OCS).

TOCSE = Total OCS impact employment.

ENCL = Total OCS enclave population.

Note: Excludes definition of those variables used only internally by the model.

TABLE 1. SCIMP OUTPUT REPORTS

<u>Report #1</u>	<u>Report #2</u>	<u>Report #3</u>	<u>Report #4</u>	<u>Report #5</u>
BASP(A,S,R)*	BBTH	DEMP	TLE	TOTPOP
BASPP	EML	DDL	DLE	TEML
DPOP(A,S,R)	EMS	DIMPT	OLE	TEMS
DPOPP	EMC	DEMG	SLE	TEMC
OPOP(A,S,R)	EMG	DEME		TEMX
OPOPP	EMA	DPOPP		
SPOP(A,S,R)	EMX	DEMR		
SPOPP	EMM	OEMP		
TOTPP(A,S,R)	BPOPP	ODL		
TOTPOP	BASPP	OIMPT		
	TE	DPOPP		
	U	OPOPP		
	NLF	TOEM		
	BEMG	OEME		
		DLS		
		XREV		
		SEML		
		SEMS		
		SEMC		
		SEMM		
		UMG		
		UM		
		TOCSE		
		ENCL		
		TOCSP		

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\* All provided in five-year intervals.

### III. A FRAMEWORK FOR PARAMETER SELECTION

#### Introduction

In a test application, the original population impact model projected the historical growth of population and employment in the Kenai Census Division for the period of the Kenai oil boom (1960-1975) with reasonable accuracy. Sensitivity tests showed the results were highly sensitive to the parameter assumptions.

The small community population impact model is an accounting model. This model describes the population dynamics involved in community growth. Its structure is both consistent and theoretically correct. However, the model is simply a structure. Forecasts depend on assumptions about parameters. The model itself offers no preconception of the level of these parameters, and they must be chosen for each study.

This is the only type of model which is general enough to be used in a wide variety of rural Alaska communities. The alternative would be a statistical or econometric model estimated at the census division level. Such a model, which would develop parameter assumptions from historical relations, offers two problems. First, a separate model would have to be estimated for each census division. This would require more time and resources than is often available. Secondly, many of the smaller census divisions in Alaska provide no consistent historical relationships. The primary reason for this is the small size of the economies. These small

economies may also experience structural change because the change associated with OCS development is relatively large. Knowledge of historical relationships would be of no help in assessing potential future changes when this is the case.

The SCIMP model would ideally be used in conjunction with a detailed study of the local economy which would determine the parameter levels. In many cases, such an analysis would not be possible because of time and money constraints. A substitute, although not a perfect substitute, would be to develop a general framework for selecting the parameters in any specific studies. A first step toward the development of such a framework is developed in this section.

This section investigates ranges for multipliers and labor response rates. These rates have been isolated in past studies as the most important for projections. Assumptions about other parameters such as survival and fertility rates will be improved with the results of the 1980 census. The following analysis will examine each of these sets of parameters. A short description of theoretical considerations will be followed by the analysis of both national and Alaska empirical work. Based on this analysis, we will suggest ranges of parameters which can be used with the SCIMP model to make projections.

### Economic Base Multipliers

In the present version of the population impact model, the growth of the local economy is described in terms of economic base theory. Economic base theory is widely used in regional analysis. This theory assumes the region grows primarily as a result of increased export activity to other regions and that the determinants of the level of export activity are external to the region. In the simple version of economic base theory, the region's economy is separated into two sectors, the export or basic sector and the support or nonbasic sector. The function of the support sector is to serve the export sector and the associated population. The relationship between the export and support sectors is defined by the economic base multiplier.

The economic base multiplier describes the increase in support sector economic activity per unit of increase in economic activity in the support sector. In most applications, the units of economic activity are described in terms of employment. The use of employment is really a matter of convenience since employment data is the type most generally available. A more general measure of economic activity would be output. Using employment as the measure of economic activity is not an important limitation in this model since we are interested in describing population growth as a function of labor market interaction.

In reality, the growth process of a region is more complex than that described by simple base theory. One criticism of this simple theory is that it does not account for differences in the export-support sector

relationship across regions. To account for this difference, economic base theory must consider the effect of alternative industrial structures and the size of the region. The structure of the basic or export sector will affect the size of the multiplier. For two regions with export sectors which are similar in size but not in composition, the nonbasic or support sector will be larger for the region with the more stable, longer-term industries in its basic sector. To the extent that the region's basic sector is made up of industries which buy inputs on the local market, the multiplier will be larger. The SCIMP model attempts to account for this by describing the basic sector in terms of its industrial composition and allowing the possibility of different multipliers for each industry.

A second explanation of regional differences in multipliers is the population differences of regions. The relationship between export and support sectors is a function of the amount of goods and services produced and consumed locally; the greater the proportion of goods consumed and produced locally, the greater will be the multiplier. We expect larger regions to produce in the region a greater portion of the goods and services they consume because of economies of scale. Economies of scale allow the reduction of per-unit production costs with increased output and allow the goods or services to be profitably produced in the region. Larger regions provide more opportunities for achieving economies of scale and provide a larger proportion of their goods and services locally. Because of this, they will have larger multipliers.

## EMPIRICAL ANALYSIS

The purpose of this section is to provide guidance to the possible range of multiplier parameter values which can be used in specific studies. Empirical work from Alaska and other regions of the United States will be reviewed, but no specific estimate will be developed. The limited empirical work reviewed will not allow a specific estimate of the "correct" multiplier; but a single multiplier would not be appropriate for use in all areas. The empirical work in this section will serve as a check to estimates of parameters for specific studies and as a base for assumptions when there are not resources for specific research.

Two studies will be examined from other regions of the United States; these studies are by Conopask (1978) and Stenehjem and Metzger (1976). Both studies attempt to define industry-specific multipliers for non-metropolitan counties by examining the effect on the level of support sector employment of a change in the level of basic sector employment. Stenehjem and Metzger estimate their multipliers by examining cross-section data on nonmetropolitan counties from the 1970 Census. This data is analyzed by groups of states or subregions of the country. Conopask examines the multiplier in fifteen counties in the Northern Great Plains region of the country; the counties selected were those which experienced some major mining or energy project impact. Conopask used both cross-section and time-series data on the counties in his analysis. Both studies used regression analysis to estimate the multipliers for specific basic industries.

Conopask estimated multipliers using various regression techniques for manufacturing, mining, construction, government, and the basic sector components of certain traditional support sector activities. This final component was estimated using location coefficients and represented the activities of regional trade centers, like Anchorage. His estimates of multiplier values are shown in Table 2. This table shows the 95 percent confidence intervals as well as the mean value (in parentheses). Stenehjem and Metzger's results are also presented in Table 2; the results for those regions of the United States which were felt to most accurately reflect Alaska conditions are shown. Stenehjem and Metzger pooled industries in the basic sector to obtain the best results. (The publication showed only those multipliers which could be used for energy project impact analysis; i.e., the government multiplier was not presented.)

These studies provide what seem to be inconsistent results. These seeming inconsistencies may be explained by differences in industry definitions in the studies and differences in functional form. Conopask includes a portion of traditional support sector industries (trade, service, finance) in the basic sector of certain regional centers. Conopask also uses pooled cross-section time-series data, while Stenehjem and Metzger use only cross-section. The use of pooled cross-section time-series allows Conopask to capture changes in the structure of economies which may result only partially as a response to changes in the level of basic sector activity.



TABLE 2. SUPPORT SECTOR EMPLOYMENT PER  
BASIC SECTOR EMPLOYEE

	Stenehjem and Metzger Study		
	<u>Conopask Study</u>	<u>Idaho, Montana, Wyoming</u>	<u>Nevada, Utah, Colorado, Arizona, New Mexico</u>
Manufacturing	1.58 - 2.94 (2.26)	.7	1.7
Mining	.72 - 1.26 (.99)	.8	.5
Construction	.47 - .57 (.52)	.7	1.7
Government	1.78 - 2.08 (1.93)	-	-
Agriculture	*	.8	.5

\* Nonsignificant results

SOURCES FOR TABLES:

J. V. Conopask, "A Data Pooling Approach to Estimate Employment Multipliers for Small Regional Economies," U.S. Department of Agriculture, Tech. Bulletin No. 1583, 1978.

E. Stenehjem and J. Metzger, "A Framework for Projecting Employment and Population Changes Accompanying Energy Development," Argonne National Laboratory, 1976.

Examining the results of these studies allows a range of possible multiplier parameter values to be established. Any specific work done with SCIMP should be consistent with this range of values. The results discussed above serve as a check on specific work on rural Alaska; any specific work which diverges a great deal from this range should be questioned.

Examination of Alaska data will provide further help in selecting multiplier values. Using information from the 1970 Census in Alaska, we estimated a series of regressions in an attempt to define the relation between basic and nonbasic sector employment. Cross-section regressions were estimated using the census divisions as units of observation, and the large regions were excluded. Attempts to estimate the effect on the multiplier of the population of the census division did not produce significant results.

A series of regressions was estimated in an attempt to duplicate the results of Conopask and Stenehjem and Metzger. In these equations, the level of employment in various support sector industries was regressed against employment in basic industries. The multipliers derived from this analysis are shown in Table 3. The results for construction and mining seem consistent with the other work; the combined multiplier is 1.4 for Alaska, 1.51 in Conopask's study (mean value), and 1.5 in the Idaho region in Stenehjem and Metzger's study. The multipliers for Agriculture and Manufacturing and Government are much lower in the Alaska study.

These Alaska results must be used in specific SCIMP applications with caution for two reasons. First, the regressions are cross-section. This means that the variability is due partially to differences in the economic structure of the census divisions. The local economies of rural Alaska may be thought of as a system of places where certain

TABLE 3. ALASKA MULTIPLIERS

<u>Basic Industries</u>	Support Sector			<u>Total</u>
	<u>Transportation, Communication, and Utilities</u>	<u>Trade</u>	<u>Finance and Services</u>	
Agriculture, Fisheries, and Manufacturing	.11	.22	*	*
Mining and Construction	.47	.56	.37	1.40
Government	.23	.42	.34	.99

\* No significant relation

larger villages serve as regional centers for large areas; these regional centers include Nome, Bethel, Kotzebue, and Barrow. These regional centers may provide services for many census divisions, and their growth may reflect basic sector growth in other areas. Because of this structure, the cross-section equations may overestimate the multipliers. The second reason for caution in applying these multipliers is the seasonality of rural Alaska employment. Census information is taken in the spring when construction and mining employment may be in a seasonal contraction. Support sector employment may reflect the annual average level of employment in the basic industries which may be much higher than in the spring. Because census data may reflect seasonality, this approach may overestimate the multipliers.

The multipliers shown in Tables 1 and 2 provide a guide to the selection of parameters for particular studies. Because of the problems mentioned, these results should be used only when there are limited resources to do regional studies. At a minimum, some analysis of the simple total-to-basic employment ratios in the region should be combined with the above information when selecting a set of multipliers for a region. A further source of information may be the analysis of the combined time-series/cross-section employment data from the Labor Department. Such an analysis should attempt to account for the regional service center structure of rural Alaska economies.

#### Labor Response Rates

Typically, population growth in an economic base model is a function of the growth in employment. In the SCIMP model, the growth of the local labor supply influences the relation between employment and population growth. The migration response to any OCS project results from efforts to clear the local labor markets; the excess of OCS demand over local labor supplies will be filled by migrants. The local labor supplied to the project is a function of the population of the region and its willingness to work on OCS projects.

The willingness to work on OCS projects is described in the model by a series of labor response rates. These rates are assumed to be different for different groups in the population--employed, unemployed, and not-in-the-labor-force. The level of these rates depends on three important considerations: 1) the willingness of employed workers to change jobs,

2) the increase in labor force participation which results from increased employment opportunities, and 3) the match between skills required and possessed by each population group.

Theories of labor economics offer some insight into the determinants of these rates. First, if we consider that workers are continually searching for better opportunities, they will switch jobs if they can improve their wages or working conditions. We would expect the proportion of employed residents willing to take OCS jobs would be determined by the relative difference in wage rates in the OCS and local economy. Second, we would expect the level of labor force participation to depend on the expected wages in the economy. Expected wages reflect both the probability of having employment and the average wage rates offered. For a given wage, the expected wage will be lower the smaller the proportion of population employed. The inability to find work may result in workers dropping out of the labor force. Workers may be out of the labor force because they know there are no jobs. If this is the case, the population not in the labor force may be an important source of labor supply in rural Alaska.

#### EMPIRICAL ANALYSIS

Originally, labor force response rates were developed using census data (see Huskey, Serow, Volin, 1979). These rates equalled the probabilities of each group supplying labor to the OCS project; these probabilities equaled the joint probability that a member of the population would want to work on the project and had the skills to work on the project. The first set of probabilities was determined by experience in the census

year (i.e., the proportion of employed population changing jobs). The second set of probabilities was determined by the occupational mix of the population and the mining and construction industries. This section ignores the second set of probabilities and assumes anyone willing to work could take an OCS job. We will concentrate on examining the determinants of the labor response of the employed and not-in-the-labor-force sectors of the population. We will assume that all unemployed would be willing to take jobs.

Two sources of information were examined. Cross-sectional analysis of the 1970 Census provided some insight into the determinants of labor force participation. The second source of information was a survey conducted in the North Slope Borough in 1977. This survey provided information on individuals' labor force and employment histories during a period when the North Slope was witnessing a large increase in employment opportunities.

The North Slope data was used to examine the effects of a change in expected wages on the probability that an employed person would change jobs. A regression was estimated across those members of the population who were employed when the survey was conducted. The dependent variable equaled one if the employee had changed jobs during the year (unless he had been terminated from a previous job) and zero if the current job was the only job during the year. The dependent variables included age and sex descriptions and a variable describing the relative wage. The relative wage equaled the wage on the previous job divided by the worker's expected wage, which is a function of the worker's education, experience, training,

and sex. If the expected wage is greater than the previous job wage, the probability that the worker will change jobs is increased. The results of that analysis provide the following equation for determining the proportion of employed population willing to take OCS jobs:

$$\text{III.1) } P_1 = .065 \left( 1 - \frac{W}{W_{\text{OCS}}} \right) \quad \text{where } P_1 = \text{the labor response rate}$$

$$W = \text{average local wage}$$

$$W_{\text{OCS}} = \text{average OCS wage}$$

The North Slope survey data was also used to estimate the response to OCS activity of those not in the labor force. An equation was estimated which explained the months the respondent spent in the labor force. The independent variables included the respondent's expected wage, demographic variables, and variables describing the amount of time the respondent and other household members spent in subsistence activities. The effect of the level of expected wage on labor force participation provides an estimate of the labor response rates of those not in the labor force.  $P_3$ , the response rate of the population not-in-the-labor-force, can be found as:

$$\text{III.2) } P_3 = .012 (W_{\text{OCS}} - W) * \frac{\text{Population}}{\text{Not in the Labor Force}}$$

where the first part of the equation describes the increase in the labor force participation rate and the second part adjusts that to apply to the portion of the population not-in-the-labor-force.

The final analysis used 1970 Census information to examine the combined effects of increased employment and wages from OCS on labor response rates. The civilian labor force participation rate for each census division was regressed against the expected earnings defined as the average earnings times the probability of being employed (employment divided by labor force). This measure of expected earnings will increase with both an increase in the earnings of those employed and an increase in employment. This analysis provides the following equation for estimating  $P_3$ :

$$\text{III.3) } P_3 = .00002 * \left[ \frac{E_{\text{OCS}} * \bar{W}_{\text{OCS}} - E_1 * \bar{W}_1}{\text{LF}} \right] * \frac{\text{Population}}{\text{Not in the Labor Force}}$$

where  $E_{\text{OCS}}$  = local employment opportunities with OCS  
 $\bar{W}_{\text{OCS}}$  = average earnings with OCS  
 $E_1$  = local employment opportunities without OCS  
 $\bar{W}_1$  = average earnings without OCS  
 LF = labor force

The coefficients in equations III.2 and III.3 differ because of the respective use of wages and yearly earnings in each equation.

This section was intended to provide additional information for estimating labor response rates. This may be more helpful than the previous section on multipliers since information on labor response rates is less accessible in individual census divisions than is information needed to derive multipliers. Caution must be used in applying this analysis directly. First, directly applying these rates assumes there is no skill or occupation



requirement for OCS workers. If this is not the case, the labor response rates should be adjusted to reflect the difference between local skill mix and OCS requirements. Different skill requirements can be reflected in both the labor response rates and the separation of imported and local labor demand. A second caution is that the North Slope situation may not be able to be generalized to other areas of the state.

### Conclusion

The analysis in this section is not intended to provide the final word on either multipliers or labor response rates in rural Alaska. This section should also not be assumed to substitute for an analysis of the local economy under study. The analysis in this section was simply meant to provide an insight into the levels of these parameters for use in those studies where the time and resources are not available to do a detailed study of the local economy.

When time and resources are available to conduct a study of the local economy, the results of this section should be used to provide guidance and consistency checks for parameters developed in the study. When a study can be conducted, the historical change in the economy should be examined. The location of the economy on the network of regional centers should also be determined. This, along with possible examination of regions slightly bigger, should provide information to determine the multiplier. Examination of the potential labor force, the occupational structure of the population, and the density of population of the region should be useful in determining the level of potential labor response rates.



#### IV. BERING-NORTON OCS LEASE SALE APPLICATION

##### Introduction

The SCIMP model was used to analyze the impact of OCS development on the Nome Census Division. This section describes this analysis. This example is intended to illustrate the model in use and the model's sensitivity to certain required assumptions. No particular research on the Nome Census Division was done; parameter assumptions were based on secondary information.

##### Base Case Growth of the Nome Census Division

###### INPUTS

Projections of the growth of the census division require regional-specific assumptions about the basic sector employment growth, local population, labor force participation, and noneconomic migration. The growth of EMX (mining and special projects) and EMA (agriculture, forestry, fishing, and manufacturing) was based on the scenarios developed by the Institute of Social and Economic Research (ISER) for the Bering-Norton OCS study (Porter, 1980). It was assumed that employment in these industries in Wade Hampton would remain constant at 1976 levels. EMG (state and federal government) was assumed to stay constant at 1976 levels. All of these exogenous inputs are presented in Table 4.

TABLE 4. EXOGENOUS EMPLOYMENT INPUTS

	<u>Mining and Special Projects</u>	<u>Agriculture- Forestry- Fisheries and Manufacturing</u>	<u>State and Federal Government</u>
1980	101	56	480
1981	101	56	480
1982	101	57	480
1983	101	57	480
1984	101	58	480
1985	101	58	480
1986	101	58	480
1987	101	59	480
1988	101	60	480
1989	101	60	480
1990	101	61	480
1991	101	61	480
1992	101	62	480
1993	101	62	480
1994	101	63	480
1995	101	64	480
1996	101	64	480
1997	101	65	480
1998	101	66	480
1999	101	67	480
2000	101	68	480

---

SOURCE: Alaska Department of Labor and Porter, 1980.

The 1980 population was estimated by extrapolating the 1978 estimated population by the average annual percent change between 1970 and 1978 (see Table 5). The age-sex distribution was estimated using a cohort survival approach. Noneconomic age-sex-race migration rates were based on the migration between 1965 and 1970 (Kerr, 1979).

Labor force participation rates by age, sex, and race were found by adjusting the 1970 census distribution. The non-Native male rates were assumed to be the same as 1970. Female rates were adjusted by the percent change between 1970 and 1977 at the national level. Native males were adjusted to 10 percent below the non-Native males, and Native females were adjusted to 10 percent below Native males. Labor force participation rates were adjusted to reflect the 1978 population and labor force estimates for the Nome Census Division. These rates are presented in Table 6.

Other parameter assumptions were based on statewide information (see Huskey, Serow, Volin, 1979). These parameter values are listed in Appendix A.

#### Base Case Growth

In the base case, population decreased at about 1 percent annually. Since local government employment is partly a function of population, it also fell (see Table 7). Only minimal expansion of the exogenous sector is assumed. Employment in the support sectors, EMS and EMC, remain relatively constant. Out-migration occurs to bring local labor

TABLE 5. POPULATION DISTRIBUTION  
1980

	Non-Native		Native	
	Male	Female	Male	Female
< 5	68	70	370	302
5-9	76	87	400	363
10-14	70	75	419	438
15-19	47	49	334	333
20-24	134	69	198	174
25-29	100	86	170	139
30-34	65	40	154	136
35-39	72	37	147	127
40-44	56	31	132	119
45-49	66	40	130	94
50-54	46	36	92	84
55-59	43	19	98	101
60-64	24	11	58	60
65+	<u>35</u>	<u>16</u>	<u>116</u>	<u>105</u>
	902	666	2,818	2,575

Total 6,961

SOURCES: 1970 Census and Alaska Department of Labor,  
Population Estimates.

TABLE 6. LABOR FORCE PARTICIPATION RATES

	Non-Native		Native	
	<u>Male</u>	<u>Female</u>	<u>Male</u>	<u>Female</u>
< 5	0	0	0	0
5-9	0	0	0	0
10-14	0	0	0	0
15-19	.254	.22	.244	.15
20-24	.90	.20	.80	.60
25-29	.80	.30	.70	.60
30-34	.80	.40	.70	.60
35-39	.80	.40	.73	.63
40-44	.83	.36	.73	.63
45-49	.76	.36	.67	.57
50-54	.76	.35	.67	.57
55-59	.76	.35	.67	.57
60-64	.76	.35	.67	.57
65+	.26	.12	.17	.17

---

SOURCE: 1970 Census

TABLE 7. BASE CASE GROWTH

<u>Baseline</u>	<u>Total Population</u>	<u>Total Employment</u>	<u>Local Government Employment</u>	<u>Finance, Trade, Services</u>	<u>Local Construction &amp; Transportation</u>	<u>Exogenous Employment</u>
1985	6,109	2,173	305	546	547	639
1990	5,801	2,163	285	550	550	642
1995	5,703	2,157	279	550	550	645
2000	5,683	2,169	278	554	554	649



supply into equilibrium in the relatively constant labor demand. This accounts for the fall in population over the period.

### OCS Impact

#### INPUTS

The most important inputs for assessing the level of OCS impacts are the project labor demands and the assumed enclave proportions. These assumed levels are shown in Table 8. They were based on the Bering-Norton mean scenario (Dames and Moore, 1980). The aggregation between sector and demand components was based on the SEAR (Share of Employment to Alaska Residents) factors (Huskey and Nebesky, 1979) used in previous studies. It is assumed that 50 percent of the migrant employees in each phase locate in an enclave.

#### OCS Induced Growth

The population impact of OCS development is 4,092 by 1985; this peaks in 1990 at 13,614 and falls to 9,417 by the year 2000. The total employment impact of OCS grows from 2,052 in 1985 to 4,712 by 2000; its peak is in 1990 when total employment impact equals 6,300. Less than half of the total employment impact of this development is direct OCS employees. At the peak impact in 1990, direct OCS employment accounts for 45 percent of the total impact. Of the direct OCS employment, over half is located in enclaves. Local labor employed in all phases of the impact is 485 in 1985 and 446 in 2000. The total local labor supplied to the OCS effort is a function of total labor supply. Given our parameters, total

TABLE 8. OCS OPERATIONS AND DEVELOPMENT EMPLOYMENT

	Operations		Development	
	<u>Local</u>	<u>Import</u>	<u>Local</u>	<u>Import</u>
1983	75	41	47	200
1984	135	136	90	512
1985	156	156	95	636
1986	238	158	105	772
1987	582	250	73	537
1988	534	178	302	1,401
1989	332	84	431	1,294
1990	301	53	710	2,133
1991	463	51	699	1,633
1992	478	25	880	1,636
1993	490	10	992	992
1994	480	10	883	883
1995	479	10	885	885
1996	479	10	915	915
1997	479	10	930	930
1998	479	10	930	930
1999	479	10	930	930
2000	479	10	930	930

local labor employed stayed relatively constant throughout the period following the initial impact (see Table 9).

The demographic and economic effects of OCS employment are very large. From 1988 through 2000, population and total employment impacts are greater than the baseline levels. All sectors of employment are profoundly affected by OCS activities.

### Sensitivity Tests

The results described above are dependent on the assumptions made about the parameters. This section will describe how important these assumptions are. Since in-migration is determined by the interaction of labor supply and labor demand, assumptions determining these will be examined. Six cases were run; three altered the labor supply parameters and the rest altered the demand parameters. Examining these results will provide an idea of the importance to our results of each assumption. Table 10 compares the results for each of six cases in five-year increments. This table shows the effect of changing the assumptions on baseline population, total OCS population and employment impact, total secondary sector migrants, and the employment of local population resulting from OCS development. Sensitivity tests also allow us to test further the logic of the model by examining the effect of parameter changes on the results.

Test No. 1 shows the importance of labor market response parameters on the total local labor employed in OCS activities (TLE). In this test,

TABLE 9. OCS DEVELOPMENT  
(difference from base case)

	<u>Total Population Impact (TOCSP)</u>	<u>Total OCS Employment Impact (TOCSE)</u>	<u>Secondary Local Govt. Employment Impact (SEML)</u>	<u>Secondary Finance, Trade, Services Impact (SEMS)</u>	<u>Secondary Local Construction &amp; Transportation Impact (SEMC)</u>
1985	4,092	2,052	111	449	449
1990	13,614	6,300	381	1,361	1,361
1995	8,856	4,521	371	946	946
2000	9,417	4,712	394	984	984

	<u>OCS Direct Employment (DEMP+OEMP)</u>	<u>Total Local Labor Employed (TLE)</u>	<u>Total Enclave Employment (ENCL)</u>
1985	731	485	432
1990	2,843	446	1,531
1995	1,770	449	1,036
2000	1,860	446	1,081

TABLE 10. SENSITIVITY OF SCIMP IMPACT RESULTS  
TO PARAMETER ASSUMPTIONS

<u>Brief Test Description</u>	<u>Year</u>	<u>Baseline Population</u>	<u>Total OCS Population Impact</u>	<u>Total OCS Employment Impact</u>	<u>Support Sector Employed In-Migrants</u>	<u>Total Local OCS Employment</u>
<b>Base Case</b>						
	1985	6,109	4,092	2,052	600	485
	1990	5,801	13,614	2,300	2,440	446
	1995	5,703	8,856	4,521	1,735	449
	2000	5,683	9,417	4,712	1,831	446
<b>Test #1: Multiplying all labor market response rates by 2</b>						
	1985	6,109	3,099	2,016	218	916
	1990	5,801	13,112	6,353	2,216	868
	1995	5,703	8,527	4,605	1,611	869
	2000	5,683	9,091	4,797	1,711	863
<b>Test #2: Setting labor market response rates of the employed to zero</b>						
	1985	6,109	3,627	1,970	391	490
	1990	5,801	13,361	6,240	2,290	459
	1995	5,703	8,451	4,428	1,502	449
	2000	5,683	9,011	4,619	1,597	446
<b>Test #3: Dividing the basic/nonbasic multipliers by 2</b>						
	1985	6,109	2,303	1,515	63	485
	1990	5,801	8,502	4,665	804	446
	1995	5,703	5,616	3,315	529	449
	2000	5,683	5,929	3,449	568	446
<b>Test #4: Setting baseline migration to 1.0</b>						
	1985	6,714	3,878	2,044	527	556
	1990	6,720	13,399	6,296	2,346	548
	1995	6,827	8,608	4,519	1,632	575
	2000	6,992	9,135	4,711	1,713	591

TABLE 10. (Continued)

<u>Brief Test Description</u>	<u>Year</u>	<u>Baseline Population</u>	<u>Total OCS Population Impact</u>	<u>Total OCS Employment Impact</u>	<u>Support Sector Employed In-Migrants</u>	<u>Total Local OCS Employment</u>
Test #5: Setting percentage of enclave employment to 0.0						
	1985	6,109	6,765	2,748	1,193	485
	1990	5,801	22,874	8,866	4,677	446
	1995	5,703	14,461	6,274	3,235	449
	2000	5,683	15,458	6,555	3,408	446
Test #6: Setting enclave employment to equal 100 percent						
	1985	6,109	1,401	1,362	12	485
	1990	5,801	4,319	3,735	226	446
	1995	5,703	3,226	2,767	246	449
	2000	5,683	3,366	2,868	261	446

all labor response rates (coefficients P1 through P8) were doubled. The most notable results are the doubling of total local labor employed.

Test No. 2 demonstrates the effect of employment response of local labor already employed to OCS development and operations. By reducing the labor response rates of this group (P1 and P4) to zero, no significant change takes place to local labor employed. Total secondary employment (SEMM), total OCS employment (TOCSE), and total OCS population (TOCSP) are reduced since it is no longer necessary to replace local employees who have taken OCS jobs.

Test No. 3 considers the basic/nonbasic multiplier relationships. Dividing all the impact multipliers (N11 through N20) by 2 results in a most profound reduction, as would be expected, of the secondary impact of OCS development.

Test No. 4 is a test of the effect of baseline population growth. Baseline migration rates are increased to 1.0. This increases the total population in the baseline. Increased baseline population results in increases in the total local labor supplied to the OCS project. This results in an increase in total local labor employed as a result of OCS development.

Test No. 5 looks at the effect of reducing the proportion of workers living in enclaves from .5 to zero. The secondary employment (SEMM) is increased, as are the total impact variables (TOCSE and TOCSP). This

results since the multipliers for nonenclave employment are larger than the enclave multipliers.

Test No. 6 increases the enclave proportion to 1.0 and results in the opposite effect of test no. 5.

The importance of parameter assumptions to the projection results has been illustrated by these sensitivity tests. The sensitivity tests also provided a final test of the logic of the model. The model responded in a reasonable manner to specific parameter changes. The importance of the parameter assumptions to the results means that in future applications of the model, more effort must be put into determining those assumptions.



APPENDIX A  
PROGRAM LISTING FROM SMALL COMMUNITY  
IMPACT MODEL

0010C  
0020C  
0030C  
0040C  
0050C  
0060C  
0070C  
0080C  
0090C  
0100C  
0110C  
0120C  
0130C  
0140C  
0150C  
0160C  
0170C  
0180C  
0190C  
0200C  
0210C  
0220C  
0230C  
0240C  
0250C  
0260C  
0270C  
0280C  
0290C  
0300C  
0310C  
0320C  
0330C  
0340C  
0350C  
0360C  
0370C  
0380C  
0390C  
0400C  
0410C  
0420C  
0430C  
0440C  
0450C  
0460C  
0470C  
0480C  
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0560C  
0570C  
0580C  
0590C  
0600C  
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0640C  
0650C

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SCIMP - SMALL COMMUNITY POPULATION IMPACT MODEL  
WRITTEN BY THEODORE P. VOLIN - 1/15/80

FILE CODES

08 (INPUT) UNLOADED EXOGENOUS VALUES, ENDOGENOUS  
STARTING VALUES

"N" RECORD, VARIABLE NAME, COHORT ATTRIBUTES  
CC 1- 1 "N"  
3- 5 VARIABLE NUMBER  
7-12 VARIABLE NAME  
14-15 # AGE COHORTS  
17-18 # SEX COHORTS  
20-21 # RACE COHORTS

"V" RECORD, VALUES  
CC 1- 1 "V"  
3- 5 VARIABLE NUMBER  
6- 8 START YEAR  
9-11 ENDING YEAR  
12-14 STARTING LOCATION  
15-16 NUMBER OF LOCATIONS  
17-24 VAL (1)  
25-32 VAL (2)  
33-40 VAL (3)  
41-48 VAL (4)  
49-56 VAL (5)  
57-64 VAL (6)  
65-72 VAL (7)

09 (INPUT/OUTPUT) LOADED HISTORY FILE - RANDOM, UNFORMATED

42 (OUTPUT) ERROR MESSAGES

06 (OUTPUT) REPORT

05 (INPUT) MENU, -FREE-FORM

- L - LOAD HISTORY FILE.
- S,SYR,NYR - SIMULATES NYR YEARS STARTING AT SYR
- C,VNAME,VAL,YRS,YRE - TEMP CHANGES VARIABLE VNAME TO VAL FOR YEARS YRS THRU YRE
- Q (OR CNTL-G) - QUIT RUN
- P,VNAME,SYR,NYR - PRINTS VARIABLE VNAME FOR NYR YEARS STARTING AT SYR

-----  
ENDOGENOUS VARIABLES

REAL BASP(14,2,2)  
REAL BASPP  
REAL BBEMG  
REAL BP(14,2,2)  
REAL BPOP(14,2,2)  
REAL BPOPP  
REAL BRH(1,2,2)

0660  
0670  
0680  
0690  
0700  
0710  
0720  
0730  
0740  
0750  
0760  
0770  
0780  
0790  
0800  
0810  
0820  
0830  
840  
850  
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0880  
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0920  
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0970  
0980  
0990  
1000  
1005  
1010  
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1070  
1080  
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1100  
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1120  
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1180  
1190  
1200  
1210  
1220  
1230  
1240  
1250  
1260  
1270  
1280  
1290  
1300  
1310

REAL BSSP (14,2,2)  
REAL D1  
REAL D2  
REAL ODM (14,2,2)  
REAL DEM (14,2,2)  
REAL ODMF  
REAL ODMG  
REAL ODMR  
REAL ODF  
REAL ODFP (14,2,2)  
REAL ODFPP  
REAL ODFM  
REAL ODFMC  
REAL ODFMS  
REAL ODFCL  
REAL LSI  
REAL LSN  
REAL LSS  
REAL N1 (14,2,2)  
REAL N2 (14,2,2)  
REAL NLF  
REAL NLF1  
REAL NLF2  
REAL NLF3  
REAL NODM (14,2,2)  
REAL NOEM (14,2,2)  
REAL NOEMF  
REAL NOEMG  
REAL NOEMR  
REAL NOENR  
REAL NSDM (14,2,2)  
REAL NSEM (14,2,2)  
REAL NSEMG  
REAL NSEMG1  
REAL O1  
REAL O2  
REAL OBTH (1,2,2)  
REAL ODM (14,2,2)  
REAL ODP (14,2,2)  
REAL ODEM (14,2,2)  
REAL ODF  
REAL ODFP (14,2,2)  
REAL ODFPP  
REAL ODFM (14,2,2)  
REAL ODFNR  
REAL ODFPP (14,2,2)  
REAL ODFPP  
REAL ODFPT  
REAL ODFPP  
REAL ODF  
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REAL R2 (14,2,2)  
REAL S1  
REAL S2  
REAL S3  
REAL SBTH (1,2,2)  
REAL SDM (14,2,2)  
REAL SDP (14,2,2)  
REAL SEM (14,2,2)  
REAL SEMC  
REAL SEMI

1320 REAL SEMM  
 1330 REAL SEMS  
 1340 REAL SEP (14,2,2)  
 1350 REAL SLE  
 1360 REAL SPOP (14,2,2)  
 1370 REAL SPOPPP  
 1380 REAL SSODPP (14,2,2)  
 1390 REAL SSODPPP  
 1400 REAL SSSEPP (14,2,2)  
 1410 REAL SSSEPPP  
 1420 REAL STE  
 1430 REAL TEM  
 1440 REAL TEM1  
 1450 REAL TEM2  
 1460 REAL TEMMC  
 1470 REAL TEMML  
 1480 REAL TEMMS  
 1490 REAL TEMX  
 1500 REAL TFE  
 1510 REAL TOCSPE  
 1520 REAL TOCSPP  
 1530 REAL TOEM  
 1540 REAL TOTF  
 1550 REAL TOTPOP  
 1560 REAL TOTPPP (14,2,2)  
 1570 REAL U  
 1580 REAL U1  
 1590 REAL U2  
 1600 REAL U3  
 1610 REAL UDM  
 1620 REAL UM  
 1630 REAL UMG  
 1640 REAL UNF  
 1650 REAL Z1

-----EXOGENOUS VARIABLES-----

1670C  
 1680C  
 1690 REAL DOL  
 1700 REAL DIMPT  
 1710 REAL EMA  
 1720 REAL EMG  
 1730 REAL EMM  
 1740 REAL EMX  
 1750C  
 1760 REAL ODL  
 1770 REAL OIMPT  
 1780 REAL REV  
 1790C

-----COEFFICIENTS-----

1800C  
 1810C  
 1820 REAL B1/1.0/  
 1830 REAL B2/1.0/  
 1840 REAL B3/1.0/  
 1850 REAL C1(14,2,2)  
 1860 &/3\*.084,.126,.2\*.084,.3\*.063,.4\*.030,.021,  
 1870 & 3\*.063,.093,.066,.060,.3\*.048,.4\*.021,.015,  
 1880 & 3\*.084,.126,.2\*.084,.3\*.063,.4\*.030,.021,  
 1890 & 3\*.063,.093,.066,.060,.3\*.048,.4\*.021,.015/  
 1900 REAL C2(14,2,2)  
 1910 &/4\*.057,.195,.171,.3\*.072,.5\*.024,  
 1920 & 4\*.039,.125,.126,.3\*.048,.5\*.018,  
 1930 & 4\*.057,.195,.171,.3\*.072,.5\*.024,  
 1940 & 4\*.039,.125,.126,.3\*.048,.5\*.018/  
 1950 REAL C3(14,2,2)  
 1960 &/3\*.0,.10,.30,.20,.2\*.05,.47\*0.0/  
 1970 REAL DE(14,2,2)  
 1980 &/3\*.0,.105,.127,.172,.218,.082,.073,.2\*.062,.038,.020,.008,  
 1990 & 3\*.0,.004,.005,.007,.009,.4\*.003,.002,.001,.29\*0.0/

2000	REAL	DD(14,2,2)	
20010	&/	.140,.098,.090,.059,.011,.006,.004,.002,4*.001,2*0.0,	
20020	&	.140,.098,.090,.077,.100,.103,.091,.044,.031,.036,.024,	
20030	&	.018,.011,.004,28*0.0/	
20040	REAL	E1/.50/	
20050	REAL	E2/.50/	
20060	REAL	F(14)/14*.80/	
20070	REAL	FR(14,2,2)	
20080	&/16*0	.0,.0380,.118,.144,.093,.039,.014,.004,21*0.0,	
20090	&	.045,.165,.227,.159,.088,.050,.015,5*0.0/	
2100	REAL	G1/1.0/	
2110	REAL	G2/1.0/	
2120	REAL	L0/0.0/	
2130	REAL	L1/.05/	
2140	REAL	L2/0.0/	
2150	REAL	LFP(14,2,2)	
2160	&/3*0	.0,.23,.83,2*.75,.77,.77,4*.71,.24,	
2170	&	.0,.22,.2,.3,.3,.4,.4,.36,.36,.35,.35,.12,	
2180	&	.0,.244,.8,.7,.7,.73,.73,4*.67,.17,	
2190	&	.0,.15,.7,.6,.6,.63,.63,4*.57,.17/	
2200	REAL	M10/0.0/	
2210	REAL	M11/.81/	
2220	REAL	M12/.81/	
2230	REAL	M13/.47/	
2240	REAL	M14/.47/	
2250	REAL	M20/.81/	
2260	REAL	M21/.81/	
2270	REAL	M22/.81/	
2280	REAL	M23/.47/	
2290	REAL	M24/.47/	
2300	REAL	MR(14,2,2)	
2310	&/	.906,.914,.908,.823,1.044,1.038,.952,.956,.945,.961,	
2320	&	.945,.945,.910,.969,	
2330	&	.922,.935,.926,.975,1.015,1.000,.932,.928,.918,.958,	
2340	&	.954,.922,.881,.948,	
2350	&	.906,.914,.908,.823,1.044,1.038,.952,.956,.945,.961,	
2360	&	.945,.945,.910,.969,	
2370	&	.922,.935,.926,.975,1.015,1.000,.932,.928,.918,.958,	
2380	&	.954,.922,.881,.948/	
2390	REAL	N11/.05/	
2400	REAL	N12/.05/	
2410	REAL	N13/.02/	
2420	REAL	N14/.05/	
2430	REAL	N15/.47/	
2440	REAL	N16/.81/	
2450	REAL	N17/.05/	
2460	REAL	N18/.47/	
2470	REAL	N19/.81/	
2480	REAL	N20/.05/	
2490	REAL	OD(14,2,2)	
2500	&/	.333,.213,.196,.112,.017,.024,.030,.010,.008,.003,.003,	
2510	&	.002,.001,.001,	
2520	&	.333,.213,.196,.164,.081,.161,.203,.062,.055,.025,.025,	
2530	&	.014,.008,.007,28*0.0/	
2540	REAL	OE(14,2,2)	
2550	&/3*0	.0,.077,.094,.201,.254,.077,.069,.031,.031,.018,.010,.009,	
2560	&	.0,.012,.014,.030,.038,.012,.010,.004,.004,.003,.001,.001,	
2565	&	.28*0.0/	
2570	REAL	P1/.031/	
2580	REAL	P2/.074/	
2590	REAL	P3/.009/	
2600	REAL	P4/.029/	
2610	REAL	P5/.040/	
2620	REAL	P6/.005/	
2630	REAL	P7/.50/	
2640	REAL	P8/.09/	
2660	REAL	SD(14,2,2)	
2661	&/	.333,.213,.196,.112,.017,.024,.030,.010,.008,.003,.003,	

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2662 & .002,.001,.001,
2663 & .333,.213,.196,.164,.081,.161,.203,.062,.055,.025,.025,
2664 & .014,.008,.007,28*0.0/
2670 REAL SE(14,2,2)
2671 &/3*0.0,.077,.094,.201,.254,.077,.069,.031,.031,.018,.010,.009,
2672 & 3*0.0,.012,.014,.030,.038,.012,.010,.004,.004,.003,.001,.001,
2673 & 28*0.0/
2680 REAL SR(14,2,2)
2690 &/2*.997,.998,4*.997,.996,.993,.990,.987,.979,.959,.945,
2700 & .997,6*.999,.998,.997,.996,.993,.991,.976,.961,
2710 & .994,.999,.997,.993,.992,.995,.996,.993,.989,.989,.987,
2720 & .974,.952,.940,
2730 & .996,.999,.999,.997,.997,.996,.994,.992,.981,.980,.989,
2740 & .980,.967,.962/
2743 REAL SXR(1,2,2)/.503,.497,.503,.497/
2745 REAL TD(14,2,2)
2750 &/.784,.813,.825,.822,.784,.813,.825,.838,.850,.863,.875,
2751 & .888,.900,0.0,
2752 & .784,.813,.825,.822,.784,.813,.825,.838,.850,.863,.875,
2753 & .888,.900,29*0.0/
2760 REAL TO(14,2,2)
2770 &/.784,.813,.825,.822,.784,.813,.825,.838,.850,.863,.875,
2780 & .888,.900,0.0,
2790 & .784,.813,.825,.822,.784,.813,.825,.838,.850,.863,.875,
2800 & .888,.900,29*0.0/
2810 REAL UO/.085/
2815 REAL UDEP/2.0/
2820 REAL X2(14,2,2)
2830 &/.333,.213,.196,.189,.111,.225,.284,.087,.077,.034,.034,
2840 & .020,.011,.010,
2850 & .333,.213,.196,.176,.095,.191,.241,.074,.065,.029,.029,
2860 & .017,.009,.009,
2870 & 28*0.0/
2880 REAL Y1/1.0/

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-----INPUT/OUTPUT-BUFFERS-----

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2900C
2910C
2920 REAL BUFF(1800),BUFF2(1800)
2930 EQUIVALENCES(BUFF( 1),BASP )
2940 EQUIVALENCES(BUFF( 57),BASP )
2950 EQUIVALENCES(BUFF( 58),BEMGP )
2960 EQUIVALENCES(BUFF( 59),BPP )
2970 EQUIVALENCES(BUFF( 115),BPOP )
2980 EQUIVALENCES(BUFF( 171),BPOP )
2990 EQUIVALENCES(BUFF( 172),BPTH )
3000 EQUIVALENCES(BUFF( 176),BSP )
3010 EQUIVALENCES(BUFF( 232),OI )
3020 EQUIVALENCES(BUFF( 233),OI )
3030 EQUIVALENCES(BUFF( 234),ODM )
3040 EQUIVALENCES(BUFF( 290),DEM )
3050 EQUIVALENCES(BUFF( 346),DEM )
3060 EQUIVALENCES(BUFF( 347),DEM )
3070 EQUIVALENCES(BUFF( 348),DEM )
3080 EQUIVALENCES(BUFF( 349),DEM )
3090 EQUIVALENCES(BUFF( 350),DEF )
3100 EQUIVALENCES(BUFF( 351),DEF )
3110 EQUIVALENCES(BUFF( 352),DEF )
3120 EQUIVALENCES(BUFF( 408),POP )
3130 EQUIVALENCES(BUFF( 409),M )
3140 EQUIVALENCES(BUFF( 410),M )
3150 EQUIVALENCES(BUFF( 411),M )
3160 EQUIVALENCES(BUFF( 412),M )
3170 EQUIVALENCES(BUFF( 413),L )
3180 EQUIVALENCES(BUFF( 414),L )
3190 EQUIVALENCES(BUFF( 415),L )
3200 EQUIVALENCES(BUFF( 416),L )
3210 EQUIVALENCES(BUFF( 417),N )
3220 EQUIVALENCES(BUFF( 472),N )

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QUIVAL (BUFI ( 529 ) ,NLFI )  
QUIVAL (BUFI ( 530 ) ,NLFI )  
QUIVAL (BUFI ( 531 ) ,NLFI )  
QUIVAL (BUFI ( 532 ) ,NOODM )  
QUIVAL (BUFI ( 588 ) ,NOODM )  
QUIVAL (BUFI ( 644 ) ,NOODM )  
QUIVAL (BUFI ( 645 ) ,NOODM )  
QUIVAL (BUFI ( 646 ) ,NOODM )  
QUIVAL (BUFI ( 647 ) ,NOODM )  
QUIVAL (BUFI ( 648 ) ,NSOM )  
QUIVAL (BUFI ( 704 ) ,NSOM )  
QUIVAL (BUFI ( 760 ) ,NSOM )  
QUIVAL (BUFI ( 761 ) ,OI )  
QUIVAL (BUFI ( 762 ) ,ON )  
QUIVAL (BUFI ( 763 ) ,OBTH )  
QUIVAL (BUFI ( 767 ) ,ODM )  
QUIVAL (BUFI ( 833 ) ,ODM )  
QUIVAL (BUFI ( 879 ) ,ODM )  
QUIVAL (BUFI ( 935 ) ,ODM )  
QUIVAL (BUFI ( 936 ) ,ODM )  
QUIVAL (BUFI ( 937 ) ,ODM )  
QUIVAL (BUFI ( 938 ) ,ODM )  
QUIVAL (BUFI ( 994 ) ,ODM )  
QUIVAL (BUFI ( 995 ) ,ODM )  
QUIVAL (BUFI ( 1051 ) ,ODM )  
QUIVAL (BUFI ( 1052 ) ,ODM )  
QUIVAL (BUFI ( 1108 ) ,ODM )  
QUIVAL (BUFI ( 1109 ) ,ODM )  
QUIVAL (BUFI ( 1125 ) ,ODM )  
QUIVAL (BUFI ( 1166 ) ,ODM )  
QUIVAL (BUFI ( 1167 ) ,ODM )  
QUIVAL (BUFI ( 1168 ) ,ODM )  
QUIVAL (BUFI ( 1179 ) ,ODM )  
QUIVAL (BUFI ( 1225 ) ,ODM )  
QUIVAL (BUFI ( 1281 ) ,ODM )  
QUIVAL (BUFI ( 1282 ) ,ODM )  
QUIVAL (BUFI ( 1283 ) ,ODM )  
QUIVAL (BUFI ( 1284 ) ,ODM )  
QUIVAL (BUFI ( 1344 ) ,ODM )  
QUIVAL (BUFI ( 1400 ) ,ODM )  
QUIVAL (BUFI ( 1456 ) ,ODM )  
QUIVAL (BUFI ( 1457 ) ,ODM )  
QUIVAL (BUFI ( 1458 ) ,ODM )  
QUIVAL (BUFI ( 1459 ) ,ODM )  
QUIVAL (BUFI ( 1460 ) ,ODM )  
QUIVAL (BUFI ( 1516 ) ,ODM )  
QUIVAL (BUFI ( 1517 ) ,ODM )  
QUIVAL (BUFI ( 1573 ) ,ODM )  
QUIVAL (BUFI ( 1574 ) ,ODM )  
QUIVAL (BUFI ( 1630 ) ,ODM )  
QUIVAL (BUFI ( 1631 ) ,ODM )  
QUIVAL (BUFI ( 1687 ) ,ODM )  
QUIVAL (BUFI ( 1688 ) ,ODM )  
QUIVAL (BUFI ( 1689 ) ,ODM )  
QUIVAL (BUFI ( 1690 ) ,ODM )  
QUIVAL (BUFI ( 1691 ) ,ODM )  
QUIVAL (BUFI ( 1692 ) ,ODM )  
QUIVAL (BUFI ( 1693 ) ,ODM )  
QUIVAL (BUFI ( 1694 ) ,ODM )  
QUIVAL (BUFI ( 1695 ) ,ODM )  
QUIVAL (BUFI ( 1696 ) ,ODM )  
QUIVAL (BUFI ( 1697 ) ,ODM )  
QUIVAL (BUFI ( 1698 ) ,ODM )  
QUIVAL (BUFI ( 1699 ) ,ODM )  
QUIVAL (BUFI ( 1700 ) ,ODM )  
QUIVAL (BUFI ( 1701 ) ,ODM )  
QUIVAL (BUFI ( 1702 ) ,ODM )

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339910 EQUIVALENCE (BUFFER (1758), U )
339920 EQUIVALENCE (BUFFER (1759), U1 )
339930 EQUIVALENCE (BUFFER (1760), U2 )
339940 EQUIVALENCE (BUFFER (1761), U3 )
339950 EQUIVALENCE (BUFFER (1762), UDM )
339960 EQUIVALENCE (BUFFER (1763), UM )
339970 EQUIVALENCE (BUFFER (1764), UMG )
339980 EQUIVALENCE (BUFFER (1765), UN )
339990 EQUIVALENCE (BUFFER (1766), Z1 )
339991 EQUIVALENCE (BUFFER (1777), NSEMG1 )
339992 EQUIVALENCE (BUFFER (1778), NLF3 )

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-----EXOGENOUS VARIABLES
339995 EQUIVALENCE (BUFFER (1767), DDL )
339996 EQUIVALENCE (BUFFER (1768), DIMPT )
339997 EQUIVALENCE (BUFFER (1769), EXA )
339998 EQUIVALENCE (BUFFER (1770), EXMG )
339999 EQUIVALENCE (BUFFER (1771), EXMM )
40000 EQUIVALENCE (BUFFER (1772), EXX )
40001 EQUIVALENCE (BUFFER (1773), OOL )
40002 EQUIVALENCE (BUFFER (1774), OIMPT )
40003 EQUIVALENCE (BUFFER (1775), REV )
40004 EQUIVALENCE (BUFFER (1776), XREV )

```

-----NAME TABLE

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4030 INTEGER DV(3,119)/357*0/
4040 CHARACTER NAMES*6(119)/119*"NONAME"/
4050 INTEGER TABLE(119)
4060 &/1,57,58,59,115,171,172,176,232,233,234,290,346,347,348,
4070 & 349,350,351,352,408,409,410,411,412,413,414,415,416,417,
4080 & 473,529,530,531,532,588,644,645,646,647,648,704,760,761,
4090 & 762,763,767,823,879,935,936,937,938,994,995,1051,1052,
4100 & 1108,1109,1165,1166,1167,1168,1169,1225,1281,1282,1283,
4110 & 1224,1288,1344,1400,1456,1457,1458,1459,1460,1516,1517,
4120 & 1573,1574,1630,1631,1687,1688,1689,1690,1691,1692,1693,
4130 & 1694,1695,1696,1697,1698,1699,1700,1701,1702,1758,1759,
4140 & 1760,1761,1762,1763,1764,1765,1766,1767,1768,1769,1770,1771,
4150 & 1772,1773,1774,1775,1776,1777,1778/

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-----MISCELLANOUS DECLARATIONS

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4180 CHARACTER CMND*1,LINE*12(10),RESP*72,REST*67
4185 CHARACTER VNAME*6
4190 INTEGER A,S,R,AL,SL,RL,AA,SS,RR
4200 INTEGER IA/14/,LS/2/,LR/2/,YEARS/21/,BSIZE/1800/
4210 INTEGER YR,YRS,YRE,NYR,I,J,STLOC,NLOC,VNUMB,ICOM,PIB
4220 REAL XMISS/-12345.E+30/
4230 REAL VAL(7),TEMP
4235 COMMON/BLANK/ICOM,PIB,XMISS
4236 COMMON/BUFFER/BUFF,BUFF2,DV,TABIF,NAMES

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```

4270 CALL RANSIZ(9,1800)
4271 5 READ (8,40,END=6) RESP
4272 DECODE (RESP,50) CMND,VNUMB,REST
4273 IF (CMND.NE."N") GO TO 5
4274 DECODE (REST,60) VNAME,AL,SL,RL
4275 NAMES(VNUMB)=VNAME
4276 DV(1,VNUMB)=AL
4277 DV(2,VNUMB)=SL
4278 DV(3,VNUMB)=RL
4279 GO TO 5
4280 6 REWIND 08
4281 GO TO 125
4282 10 PRINT, "LOADING HISTORY FILES$PLEASE WAIT"
4290 DO 120 YR=1, YEARS

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4300 DO 20 I=1,BSIZE
4310 20 BUFF(I)=XMISS
4320 30 READ (8,40,END=110) RESP
4330 40 FORMAT(A72)
4340 DECODE(RESP,50) CMND,VNUMB,REST
4350 50 FORMAT(A1,I4,A67)
4360 IF (CMND.EQ."N") GO TO 30
4380 60 FORMAT(1X,A6,3I3)
4440 70 IF (CMND.NE."V") GO TO 100
4450 DECODE (REST,80) YRS,YRE,STLOC,NLOC,VAL
4460 80 FORMAT(3I3,I2,7F8.0)
4465 YRS=YRS+1
4466 YRE=YRE+1
4470 IF (.NOT.((YR.GE.YRS).AND.(YR.LE.YRE))) GO TO 30
4480 DO 90 I=1,NLOC
4490 90 BUFF(TABLE(VNUMB)+STLOC+I-2)=VAL(I)
4495 GO TO 30
4500 100 PRINT, "IGNORED..",RESP
4510 GO TO 30
4520 110 WRITE (9,YR) BUFF
4530 REWIND 08
4540 120 CONTINUE
4550 125 PRINT, "L/S/C/Q/P"
4560 READ (5,130,END=1360) CMND,REST
4570 130 FORMAT (A1,1X,A67)
4580 IF (CMND.EQ."Q") GO TO 1360
4590 IF (CMND.EQ."L") GO TO 10
4600 IF (CMND.NE."S") GO TO 1100
4610 DECODE (REST,140) YRS,NYR
4615 YRS=YRS+1
4620 140 FORMAT()
4630 DO 1090 I=YRS,(NYR+YRS-1)
4640 ICOM=I
4650 PIB=I-1
4660 READ (9,I) BUFF
4670 READ (9,PIB) BUFF2
4680C
4690C-----BASFLINE SECTOR
4700C
4710C-----EQUATION 1.1
4720C
4730 DO 160 SS=1,LS; S=SS
4740 DO 160 RR=1,LR; R=RR
4750 TEMP=0.0
4760 DO 150 AA=1,LA; A=AA
4770 150 TEMP=TEMP+FR(A,2,R)*GET3("1.1",5.A,2,R,-1)
4780 160 BBTH(1,S,R)=SXR(1,S,R)*TEMP
4790C
4800C-----EQUATION 1.2
4810C
4820 DO 170 AA=1,LA; A=AA
4830 DO 170 SS=1,LS; S=SS
4840 DO 170 RR=1,LR; R=RR
4850 170 BP(A,S,R)=SR(A,S,R)*GET3("1.2",5.A,S,R,-1)
4860C
4870C-----EQUATION 1.3
4880C
4890 DO 180 SS=1,LS; S=SS
4900 DO 180 RR=1,LR; R=RR
4910 180 BSPP(1,S,R)=(BBTH(1,S,R)+F(1)*BP(1,S,R))*MR(1,S,R)
4930C
4940C-----EQUATION 1.4
4950C
4960 DO 190 AA=2,LA-1; A=AA
4970 DO 190 SS=1,LS; S=SS
4980 DO 190 RR=1,LR; R=RR
4990 190 BSPP(A,S,R)=(1.-F(A-1))*BP(A-1,S,R)+F(A)*SP(A,S,R))*MR(A,S,R)
5010C

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5020C-----EQUATION 1.5
5030C
5040      DO 200 SS=1,LS; S=SS
5050      DO 200 RR=1,LR; R=RR
5060      200 BSPP(14,S,R)=(1.-F(13))*BP(13,S,R)+BP(14,S,R)
5080C
5090C-----EQUATION 1.6
5100C
5110      LF=0.0
5120      DO 210 AA=1,LA; A=AA
5130      DO 210 SS=1,LS; S=SS
5140      DO 210 RR=1,LR; R=RR
5150      210 LF=LF+LFPR(A,S,R)*BSPP(A,S,R)
5160C
5170C-----EQUATION 1.7
5180C
5190      EML=L0+L1*GET("1.7".6,-1)+L2*REV
5200C
5210C-----EQUATION 1.8
5220C
5230      EMS=M10+M11*EMG+M12*EMA+M13*EMX+M14*EMM
5250C
5260C-----EQUATION 1.9
5270C
5280      EMC=M20+M21*EMG+M22*EMA+M23*EMX+M24*EMM
5300C
5310C-----EQUATION 1.10
5320C
5330      TE=EML+EMS+EMC+EMG+EMA+EMX
5350C
5360C-----EQUATION 1.11
5370C
5380      UNE=LF-TE
5390C
5400C-----EQUATION 1.12
5410      IF (UNE.GE.0.0)-GO TO 220
5420      BEMG=((TF/(1-U0))-LF)*B2
5440      GO TO 230
5450      220 BEMG=((TF/(1-U0))-LF)*B1
5460C
5470C-----EQUATION 1.13
5480C
5490      230 IF (BEMG.LE.0.0) GO TO 250
5500      DO 240 AA=1,LA; A=AA
5510      DO 240 SS=1,LS; S=SS
5520      DO 240 RR=1,LR; R=RR
5530      240 BPOP(A,S,R)=BSPP(A,S,R)+C2(A,S,R)*BEMG
5550      GO TO 270
5560      250 DO 260 AA=1,LA; A=AA
5570      DO 260 SS=1,LS; S=SS
5580      DO 260 RR=1,LR; R=RR
5590      260 BPOP(A,S,R)=BSPP(A,S,R)+C1(A,S,R)*BEMG
5600C
5610C-----EQUATION 1.14
5620C
5630      270 BPOPP=0.0
5640      DO 280 AA=1,LA; A=AA
5650      DO 280 SS=1,LS; S=SS
5660      DO 280 RR=1,LR; R=RR
5670      280 BPOPP=BPOPP+BPOP(A,S,R)
5680C
5690C-----EQUATION 1.15
5700C
5710      DO 290 AA=1,LA; A=AA
5720      DO 290 SS=1,LS; S=SS
5730      DO 290 RR=1,LR; R=RR
5740      290 BASP(A,S,R)=BPOP(A,S,R)+EMM*C3(A,S,R)
5770C-----EQUATION 1.16

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5780C -----
5790C      BASPP=0.0
5800C      DO 300 AA=1,LA; A=AA
5810C      DO 300 SS=1,LS; S=SS
5820C      DO 300 RR=1,LR; R=RR
5830C      300 BASPP=BASPP+BASP(A,S,R)
5840C
5850C-----EQUATION 1.17-----
5860C
5870C      NLF=BPOPP-(LF+BEMG)
5880C
5890C-----EQUATION 1.18-----
5900C
5910C      U=LF+BEMG-TE
5920C
5930C-----EQUATION 1.19-----
5940C      TOTE=TE+FMM
5950C
5960C-----DEVELOPMENT SECTOR-----
5970C
5980C-----EQUATION 2.1-----
5990C      LSI=P1*TF+P2*U+P3*NLF
6000C
6010C-----EQUATION 2.2-----
6020C
6030C      DEMP=DDL+DIMPT
6040C
6050C-----EQUATION 2.3-----
6060C
6070C      D1=DDL-LS1
6080C
6090C-----EQUATION 2.4-----
6100C
6110C      D2=0.0
6120C      IF (D1.GT.0.0) D2=D1
6130C
6140C-----EQUATION 2.5-----
6150C
6160C      DEMG=D2+DIMPT
6170C
6180C-----EQUATION 2.6-----
6190C
6200C      DEME=E1*DEMG
6210C
6220C-----EQUATION 2.7-----
6230C
6240C      DEMR=G1*(DEMG-DEME)
6250C
6260C-----EQUATION 2.8-----
6270C
6280C      DO 310 AA=1,LA; A=AA
6290C      DO 310 SS=1,LS; S=SS
6300C      DO 310 RR=1,LR; R=RR
6310C      310 DEM(A,S,R)=(DEMR+DEME)*DE(A,S,R)
6320C
6330C-----EQUATION 2.9-----
6340C
6350C      DO 320 AA=1,LA; A=AA
6360C      DO 320 SS=1,LS; S=SS
6370C      DO 320 RR=1,LR; R=RR
6380C      320 DDM(A,S,R)=DEMR*DD(A,S,R)
6390C
6400C-----EQUATION 2.10-----
6410C
6420C      DO 330 AA=1,LA; A=AA
6430C      DO 330 SS=1,LS; S=SS
6440C      DO 330 RR=1,LR; R=RR
6450C      330 DPOP(A,S,R)=DFM(A,S,R)+DDM(A,S,R)

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6460C -----
6470C -----EQUATION 2.11
6480C -----
6490C         DPOPP=0.0
6500C         DO 340 AA=1,LA; A=AA
6510C         DO 340 SS=1,LS; S=SS
6520C         DO 340 RR=1,LR; R=RR
6530C         340 DPOPP=DPOPP+DPOP(A,S,R)
6540C -----
6550C -----EQUATION 2.12
6560C -----
6570C         IF (D1.GE.0.0) GO TO 350
6580C         TE1=TE*(1.-P1*DDL/LS1)
6590C         GO TO 360
6600C         350 TE1=TE*(1.-P1)
6610C -----
6620C -----EQUATION 2.13
6630C -----
6640C         360 IF (D1.GE.0.0) GO TO 370
6650C         U1=U*(1.-P2*DDL/LS1)
6660C         GO TO 380
6670C         370 U1=U*(1.-P2)
6680C -----
6690C -----EQUATION 2.14
6700C -----
6710C         380 IF (D1.GE.0.0) GO TO 390
6720C         NLF1=NLF*(1.-P3*DDL/LS1)
6730C         GO TO 400
6740C         390 NLF1=NLF*(1.-P3)
6750C -----
6760C -----OPERATION SECTOR
6770C -----
6780C -----EQUATION 3.1
6790C -----
6800C         400 DO 410 AA=1,LA; A=AA
6810C         DO 410 SS=1,LS; S=SS
6820C         DO 410 RR=1,LR; R=RR
6830C         410 OEP(A,S,R)=SR(A,S,R)*GET3("3.1",48,A,S,R,-1)
6840C -----
6850C -----EQUATION 3.2
6860C -----
6870C         DO 420 AA=1,LA; A=AA
6880C         DO 420 SS=1,LS; S=SS
6890C         DO 420 RR=1,LR; R=RR
6900C         420 ODP(A,S,R)=SR(A,S,R)*GET3("3.2",46,A,S,R,-1)
6910C -----
6920C -----EQUATION 3.3
6930C -----
6940C         DO 440 SS=1,LS; S=SS
6950C         DO 440 RR=1,LR; R=RR
6960C         TEMP=0.0
6970C         DO 430 AA=1,LA; A=AA
6980C         430 TEMP=TEMP+FR(A,2,R)*GET3("3.3",46,A,2,R,-1)
6990C         440 OBTH(1,S,R)=SXR(1,S,R)*TEMP
7000C -----
7010C -----EQUATION 3.4
7020C -----
7030C         DO 445 SS=1,LS; S=SS
7040C         DO 445 RR=1,LR; R=RR
7050C         445 OSEP(1,S,R)=F(1)*OEP(1,S,R)*TO(1,S,R)
7060C         DO 450 AA=2,LA; A=AA
7070C         DO 450 SS=1,LS; S=SS
7080C         DO 450 RR=1,LR; R=RR
7090C         450 OSEP(A,S,R)=((1.-F(A-1))*OEP(A-1,S,R)+F(A)*OEP(A,S,R))*TO(A,S,R)
7095C         DO 455 S=1,LS
7100C         DO 455 R=1,LR
7105C         455 OSEP(15,S,R)=((1.-F(13))*OEP(13,S,R)+OEP(14,S,R))*TO(14,S,R)
7110C -----

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7120C-----EQUATION 3.5
7130C
7140      DO 460 SS=1,LS; S=SS
7150      DO 460 RR=1,LR; R=RR
7160      460 OSDP(1,S,R)=(OBTH(1,S,R)+F(1)*ODP(1,S,R))*TD(1,S,R)
7180C
7190C-----EQUATION 3.6
7200C
7210      DO 470 AA=2,LA-1; A=AA
7220      DO 470 SS=1,LS; S=SS
7230      DO 470 RR=1,LR; R=RR
7240      470 OSDP(A,S,R)=((1.-F(A-1))*ODP(A-1,S,R)+F(A)*ODP(A,S,R))*TD(A,S,R)
7260C
7270C-----EQUATION 3.7
7280C
7290      DO 480 SS=1,LS; S=SS
7300      DO 480 RR=1,LR; R=RR
7310      480 OSDP(14,S,R)=((1.-F(13))*ODP(13,S,R)+ODP(14,S,R))*TD(14,S,R)
7330C
7340C-----EQUATION 3.8
7350C
7360      OSEPP=0.0
7370      DO 490 AA=1,LA; A=AA
7380      DO 490 SS=1,LS; S=SS
7390      DO 490 RR=1,LR; R=RR
7400      490 OSEPP=OSEPP+OSEP(A,S,R)
7410C
7420C-----EQUATION 3.9
7430C
7440      Z1=0.0
7450      IF (GET("3.9",95,-1).GT.0.0) 71=OSEPP/GET("3.9",95,-1)
7470C
7480C-----EQUATION 3.10
7490C
7500      OSENR=Z1*GET("3.10",51,-1)
7510C
7520C-----EQUATION 3.11
7530C
7540      OSEPT=OSEPP+OSENK
7550C
7560C-----EQUATION 3.12
7570C
7580      OEMP=ODL+OIMPT
7590C
7600C-----EQUATION 3.13
7610C
7620      LS2=P4*TF1+P5*U1+P6*NLF1
7640C
7650C-----EQUATION 3.14
7660C
7670      OSL=OSEPT-Z1*GET("3.14",115,-1)
7680C
7690C-----EQUATION 3.15
7700C
7710      O1=ODL-OSL
7720C
7730C-----EQUATION 3.16
7740      O2=O1-LS2
7750C
7760C-----EQUATION 3.17
7770C
7780      IF (O1.LT.0.0) GO TO 520
7790      IF (O2.LT.0.0) GO TO 510
7800      NOEMG=O2+OIMPT-Z1*GET("3.17",115,-1)
7820      GO TO 530
7830      510 NOEMG=OIMPT-Z1*GET("3.17",115,-1)
7840      GO TO 530
7850      520 NOFMG=O1+OIMPT-Z1*GET("3.17",115,-1)

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7870C -----
7880C -----EQUATION 3.18
7890C
7900C 530 NOEME=E2*NOEMG
7910C
7920C -----EQUATION 3.19
7930C NOEMR=G2*(NOEMG-NOEME)
7940C -----
7950C -----EQUATION 3.20
7960C
7970C NOENR=NOEMG-NOEME-NOEMR
7980C
7990C -----EQUATION 3.21
8000C
8010C DO 540 AA=1,LA; A=AA
8020C DO 540 SS=1,LS; S=SS
8030C DO 540 RR=1,LR; R=RR
8040C 540 N1(A,S,R)=0.0
8050C IF (OSEPP.EQ.0.0) GO TO 560
8060C DO 550 AA=1,LA; A=AA
8070C DO 550 SS=1,LS; S=SS
8080C DO 550 RR=1,LR; R=RR
8090C 550 N1(A,S,R)=OSEP(A,S,R)/OSEPP
8100C -----
8110C -----EQUATION 3.22
8120C
8130C 560 OSDPP=0.0
8140C DO 570 AA=1,LA; A=AA
8150C DO 570 SS=1,LS; S=SS
8160C DO 570 RR=1,LR; R=RR
8170C 570 OSDPP=OSDPP+OSDP(A,S,R)
8180C -----
8190C -----EQUATION 3.23
8200C
8210C DO 580 AA=1,LA; A=AA
8220C DO 580 SS=1,LS; S=SS
8230C DO 580 RR=1,LR; R=RR
8240C 580 N2(A,S,R)=0.0
8250C IF (OSDPP.EQ.0.0) GO TO 595
8260C DO 590 AA=1,LA; A=AA
8270C DO 590 SS=1,LS; S=SS
8280C DO 590 RR=1,LR; R=RR
8290C 590 N2(A,S,R)=OSDP(A,S,R)/OSDPP
8300C -----
8310C -----EQUATION 3.24
8320C
8330C 595 IF (NOEMG.LT.0.0) GO TO 610
8340C DO 600 AA=1,LA; A=AA
8350C DO 600 SS=1,LS; S=SS
8360C DO 600 RR=1,LR; R=RR
8370C 600 NOEM(A,S,R)=(NOEME+NOEMR)*OE(A,S,R)
8380C GO TO 630
8390C 610 DO 620 AA=1,LA; A=AA
8400C DO 620 SS=1,LS; S=SS
8410C DO 620 RR=1,LR; R=RR
8420C 620 NOEM(A,S,R)=(NOEME+NOEMR)*N1(A,S,R)
8430C -----
8440C -----EQUATION 3.25
8450C
8460C 630 IF (NOEMG.LT.0.0) GO TO 650
8470C DO 640 AA=1,LA; A=AA
8480C DO 640 SS=1,LS; S=SS
8485C DO 640 RR=1,LR; R=RR
8490C 640 NODM(A,S,R)=NOEMR*OD(A,S,R)
8500C GO TO 670
8510C 650 DO 660 AA=1,LA; A=AA
8520C DO 660 SS=1,LS; S=SS
8530C DO 660 RR=1,LR; R=RR

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85540 560 NODM(A,S,R)=NOEMR\*NZ(A,S,R)\*OSDPP/OSEPP

85560C-----EQUATION 3.26

85580C  
8590 670 DO 680 AA=1,LA; A=AA

8600 DO 680 SS=1,LS; S=SS

8610 DO 680 RR=1,LR; R=RR

8620 680 OEM(A,S,R)=NOEM(A,S,R)+OSEP(A,S,R)

8630C  
8640C-----EQUATION 3.27

8650C  
8660 DO 690 AA=1,LA; A=AA

8670 DO 690 SS=1,LS; S=SS

8680 DO 690 RR=1,LR; R=RR

8690 690 ODM(A,S,R)=NODM(A,S,R)+OSDP(A,S,R)

8700C  
8710C-----EQUATION 3.28

8720C  
8730 DO 700 AA=1,LA; A=AA

8740 DO 700 SS=1,LS; S=SS

8750 DO 700 RR=1,LR; R=RR

8760 700 OPOP(A,S,R)=OEM(A,S,R)+ODM(A,S,R)

8770C  
8780C-----EQUATION 3.29

8790C  
8800 OPOPP=0.0

8810 DO 710 AA=1,LA; A=AA

8820 DO 710 SS=1,LS; S=SS

8830 DO 710 RR=1,LR; R=RR

8840 710 OPOPP=OPOPP+OPOP(A,S,R)

8850C  
8860C-----EQUATION 3.30

8870C  
8880 TOEM=0.0

8890 DO 720 AA=1,LA; A=AA

8900 DO 720 SS=1,LS; S=SS

8910 DO 720 RR=1,LR; R=RR

8920 720 TOEM=TOEM+OEM(A,S,R)

8930C  
8940C-----EQUATION 3.31

8950C  
8960 OENR=NOENR+OSEN

8970C  
8980C-----EQUATION 3.32

8990C  
9000 IF (01.LF.0.0) GO TO 740

9010 IF (02.GE.0.0) GO TO 730

9020 TE2=TE1\*(1.-P4\*01/LS2)

9030 GO TO 750

9040 730 TE2=TE1\*(1.-P4)

9050 GO TO 750

9060 740 TE2=TE1

9070C  
9080C-----EQUATION 3.33

9090C  
9100 750 IF (01.LF.0.0) GO TO 770

9110 IF (02.GE.0.0) GO TO 760

9120 U2=U1\*(1.-P5\*01/LS2)

9140 GO TO 780

9150 760 U2=U1\*(1.-P5)

9160 GO TO 780

9170 770 U2=U1

9180C  
9190C-----EQUATION 3.34

9200C  
9210 780 IF (01.LF.0.0) GO TO 800

9220 IF (02.GE.0.0) GO TO 790

9230 NLF2=NLF1\*(1.-P6\*01/LS2)

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9240 GO TO 810
9250 790 NLF2=NLF1*(1.-P6)
9260 GO TO 810
9270 800 NLF2=NLF1
9280C
9290C-----SECONDARY RESPONSE
9300C
9310C-----EQUATION 4.1
9320C
9330 810 DO 820 AA=1,LA; A=AA
9340 DO 820 SS=1,LS; S=SS
9350 DO 820 RR=1,LR; R=RR
9360 820 SEP(A,S,R)=SR(A,S,R)*GET3("4.1",71,A,S,R,-1)
9370C
9380C-----EQUATION 4.2
9390C
9400 DO 830 AA=1,LA; A=AA
9410 DO 830 SS=1,LS; S=SS
9420 DO 830 RR=1,LR; R=RR
9430 830 SDP(A,S,R)=SR(A,S,R)*GET3("4.2",69,A,S,R,-1)
9440C
9450C-----EQUATION 4.3
9460C
9470 DO 850 SS=1,LS; S=SS
9480 DO 850 RR=1,LR; R=RR
9490 TEMP=0.0
9500 DO 840 AA=1,LA; A=AA
9510 840 TEMP=TEMP+FR(A,2,R)*GET3("4.3",69,A,2,R,-1)
9520 850 SBTH(1,S,R)=SXR(1,S,R)*TEMP
9530C
9540C-----EQUATION 4.4
9550C
9560 DO 855 SS=1,LS; S=SS
9570 DO 855 RR=1,LR; R=RR
9580 855 SSEP(1,S,R)=F(1)*SEP(1,S,R)*TO(1,S,R)
9590 DO 860 AA=2,LA; A=AA
9600 DO 860 SS=1,LS; S=SS
9610 DO 860 RR=1,LR; R=RR
9620 860 SSEP(A,S,R)=((1.-F(A-1))*SEP(A-1,S,R)+F(A)*SEP(A,S,R))*TO(A,S,R)
9625 DO 865 S=1,LS
9630 DO 865 R=1,LR
9635 865 SSEP(14,S,R)=((1.-F(13))*SEP(13,S,R)+SEP(14,S,R))*TO(14,S,R)
9640C
9650C-----EQUATION 4.5
9660C
9670 DO 870 SS=1,LS; S=SS
9680 DO 870 RR=1,LR; R=RR
9690 870 SSDP(1,S,R)=(SBTH(1,S,R)+F(1)*SDP(1,S,R))*TD(1,S,R)
9710C
9720C-----EQUATION 4.6
9730C
9740 DO 880 AA=2,A-1; A=AA
9750 DO 880 SS=1,LS; S=SS
9760 DO 880 RR=1,LR; R=RR
9770 880 SSDP(A,S,R)=((1.-F(A-1))*SDP(A-1,S,R)+F(A)*SEP(A,S,R))*TD(A,S,R)
9790C
9800C-----EQUATION 4.7
9810C
9820 DO 890 SS=1,LS; S=SS
9830 DO 890 RR=1,LR; R=RR
9840 890 SSDP(14,S,R)=((1.-F(13))*SDP(13,S,R)+SDP(14,S,R))*TD(14,S,R)
9860C
9870C-----EQUATION 4.8
9880C
9890 SSEPP=0.0
9900 DO 900 AA=1,LA; A=AA
9910 DO 900 SS=1,LS; S=SS
9920 DO 900 RR=1,LR; R=RR

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9930 900 SSEPP=SSEPP+SSEP(A,S,R)
9940C
9950C-----EQUATION 4.9
9960C
9970 DLS=0.0
9980 DO 910 AA=1,LA; A=AA
9990 DO 910 SS=1,LS; S=SS
00010000 DO 910 RR=1,LR; R=RR
10010 910 DLS=DLS+(ODM(A,S,R)+DDM(A,S,R))*LFPR(A,S,R)
00010030C
00010040C-----EQUATION 4.10
00010050C
10110 OEME=E2*(TOEM+OENR)
00010120C
00010130C-----EQUATION 4.11
00010140C
10150 SEML=N11*(GET("4.11",55,-1)-GET("4.11",49,-1))
00010160 & +N12*(GET("4.11",20,-1)-GET("4.11",13,-1))
00010170 & +N13*GET("4.11",117,-1)+N14*GET("4.11",79,-1)
00010180C
00010190C-----EQUATION 4.12
00010200C
10210 SEMS=N15*(OEMP-OEME)+N16*(DEMP-DEME)+N17*(OEME+DEME)
00010240C
00010250C-----EQUATION 4.13
00010260C
10270 SEMC=N18*(OEMP-OEME)+N19*(DEMP-DEME)+N20*(OEME+DEME)
00010300C
00010310C-----EQUATION 4.14
00010320C
10330 STE=SEML+SEMS+SEMC+TE-TE2
00010350C
00010360C-----EQUATION 4.15
00010370C
10380 LS3=P7*U2+P8*NLF2
00010390C
00010400C-----EQUATION 4.16
00010410C
10420 S1=STE-LS3
00010430C
00010440C-----EQUATION 4.17
00010450C
10460 S2=S1-SSEPP
00010470C
00010480C-----EQUATION 4.18
00010490C
10500 S3=S2-DLS
00010510C
00010520C-----EQUATION 4.19
00010530C
10540 NSEMG1=S1
00010550 IF (S1.LT.0.0) GO TO 930
10560 NSEMG1=S2
00010570 IF (S2.LT.0.0) GO TO 930
10580 NSEMG1=0.0
00010590 IF (S3.LT.0.0) GO TO 930
10600 NSEMG1=S3
00010601C
00010602C-----EQUATION 4.20
00010603C
00010604 930 NSEMG=NSEMG1
10605 IF ((SSEPP+NSEMG1).LT.0.0) NSEMG=-SSEPP
00010610C
00010620C-----EQUATION 4.21
00010630C
10640 SSDPP=0.0
00010650 DO 940 AA=1,LA; A=AA
00010660 DO 940 SS=1,LS; S=SS

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00010670 DO 940 RR=1,LR; R=RR
10680 940 SSDPP=SSDPP+SSDP(A,S,R)
00010690C
00010700C-----EQUATION 4.22
00010710C
00010720 DO 950 AA=1,LA; A=AA
00010730 DO 950 SS=1,LS; S=SS
00010740 DO 950 RR=1,LR; R=RR
00010750 R1(A,S,R)=0.0
10760 950 IF (SSEPP.NE.0.0) R1(A,S,R)=SSFP(A,S,R)/SSEPP
00010780C
00010790C-----EQUATION 4.23
00010800C
00010810 DO 960 AA=1,LA; A=AA
00010820 DO 960 SS=1,LS; S=SS
00010830 DO 960 RR=1,LR; R=RR
00010840 R2(A,S,R)=0.0
10850 960 IF (SSDPP.NE.0.0) R2(A,S,R)=SSDP(A,S,R)/SSDPP
00010870C
00010880C-----EQUATION 4.24
00010890C
00010900 DO 970 AA=1,LA; A=AA
00010910 DO 970 SS=1,LS; S=SS
00010920 DO 970 RR=1,LR; R=RR
10930 NSEM(A,S,R)=NSEMG*SE(A,S,R)
10940 970 IF (NSEMG.LT.0.0) NSEM(A,S,R)=NSEMG*R1(A,S,R)
00010960C
00010970C-----EQUATION 4.25
00010980C
10990 IF (NSEMG.LT.0.0) GO TO 990
00011000 DO 980 AA=1,LA; A=AA
00011010 DO 980 SS=1,LS; S=SS
00011020 DO 980 RR=1,LR; R=RR
11030 980 NSDM(A,S,R)=NSEMG*SD(A,S,R)
00011040 GO TO 1010
00011050 -990 DO 1000 AA=1,LA; A=AA
00011060 DO 1000 SS=1,LS; S=SS
00011070 DO 1000 RR=1,LR; R=RR
11080 1000 NSDM(A,S,R)=NSEMG*R2(A,S,R)*SSDPP/SSEPP
00011100C
00011110C-----EQUATION 4.26
00011120C
00011130 1010 DO 1020 AA=1,LA; A=AA
00011140 DO 1020 SS=1,LS; S=SS
00011150 DO 1020 RR=1,LR; R=RR
11160 1020 SEM(A,S,R)=NSEM(A,S,R)+SSEP(A,S,R)
00011170C
00011180C-----EQUATION 4.27
00011190C
00011200 DO 1030 AA=1,LA; A=AA
00011210 DO 1030 SS=1,LS; S=SS
00011220 DO 1030 RR=1,LR; R=RR
11230 1030 SDM(A,S,R)=NSDM(A,S,R)+SSDP(A,S,R)
00011240C
00011250C-----EQUATION 4.28
00011260C
00011270 DO 1040 AA=1,LA; A=AA
00011280 DO 1040 SS=1,LS; S=SS
00011290 DO 1040 RR=1,LR; R=RR
11300 1040 SPOP(A,S,R)=SEM(A,S,R)+SDM(A,S,R)
00011310 SPOPP=0.0
00011320C
00011330C-----EQUATION 4.29
00011340C
00011350 DO 1050 AA=1,LA; A=AA
00011360 DO 1050 SS=1,LS; S=SS
00011370 DO 1050 RR=1,LR; R=RR
11380 1050 SPOPP=SPOPP+SPOP(A,S,R)

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12090 ---- TEML=EML+SEML
00012100C
00012110C-----EQUATION 6.5
00012120C
12130 TEML=EMS+SEMS
00012140C
00012150C-----EQUATION 6.6
00012160C
12170 TEMC=EMC+SEMC
00012180C
00012190C-----EQUATION 6.7
00012200C
12210 TEMX=EMX+DEMP+OEMP
00012220C
00012230C-----EQUATION 6.8
00012240C
12250 TOCSE=DEMP+OEMP+STE-(TE-TE2)
00012270C
00012280C-----EQUATION 6.9
00012290C
12300 ENCL=DEME+OEME
12305 WRITE (9'I) BUFF
00012310 1090 CONTINUE
00012320 GO TO 125
12330 1100 IF (CMND.NE."D") GO TO 1170
00012340 DECODE(REST,140) YRS,NYR
12345 YRS=YRS+1
00012350 DO 1160 I=YRS,(NYR+YRS-1)
12360 READ (9'I) BUFF
12370 WRITE (6,1110) I-1
12380 1110 FORMAT ("1YEAR ",I,," LOCATION ",7X,"1",11X,
00012390 & "2",11X,"3",11X,"4",11X,"5",11X,"6",11X,"7",11X,
00012400 & "8",11X,"9",11X,"0")
00012410 DO 1150 J=1,1800,10
00012420 DO 1130 K=1,10
00012430 ENCODE(LINE(K),1120) BUFF(J+K-1)
00012440 1120 FORMAT (F12.2)
00012450 IF (BUFF(J+K-1).LE.XMISS) LINE(K)=" N/A"
00012460 1130 CONTINUE
00012470 WRITE (6,1140) J,(LINE(K),K=1,10)
00012480 1140 FORMAT (" BUFF(",I4,")",10A12)
00012490 1150 CONTINUE
00012500 1160 CONTINUE
00012510 GO TO 125
00012520 1170 IF (CMND.NE."C") GO TO 1220
00012530 VNAME="NOFIND"
00012540 VALL=XMISS
00012550 YRS=-1
00012560 YRE=-1
00012570 DECODE (REST,140) VNAME,VALI .YRS,YRE
12580 DO 1180 I=108,117
00012590 IF (NAMES(I).EQ.VNAME) GO TO 1190
00012600 1180 CONTINUE
00012610 PRINT, VNAME," NOT FOUND"
00012620 GO TO 125
00012630 1190 VNUMB=I
00012640 IF (.NOT.((VALL.LE.XMISS).OR.(YRS.EQ.-1))) GO TO 1200
00012650 PRINT, "UNABLE TO DECODE"
00012660 GO TO 125
00012670 1200 IF (YRS.EQ.-1) YRE=YRS
00012680 DO 1210 I=YRS+1,YRE+1
00012690 READ (9'I) BUFF
00012700 PRINT, VNAME," YEAR",I," CHANGED",BUFF(TABLE(VNUMB))
00012710 PRINT, "CHANGED TO ", VALL
00012720 BUFF(TABLE(VNUMB))=VALL
00012730 WRITE(9'I) BUFF
00012740 1210 CONTINUE
00012750 GO TO 125

```

```

00012760 1220 IF (CMD.NE."P") GO TO 1350
00012770 VNAME="NOFIND"
00012780 YRS=-1
00012790 NYR=1
00012800 DECODE (REST,140) VNAME,YRS,NYR
00012810 DO 1230 I=1,177
00012820 IF (NAMES(I).EQ.VNAME) GO TO 1240
00012830 1230 CONTINUE
00012840 PRINT, VNAME," NOT FOUND"
00012850 GO TO 125
12860 1240 VNUMB=I
00012870 IF (.NOT.(YRS.EQ.-1)) GO TO 1250
00012880 PRINT, "UNABLE TO DECODE"
00012890 GO TO 125
00012900 1250 YRS=YRS+1
00012910 DO 1340 I=YRS,(NYR+YRS-1)
00012920 READ (9,I) BUFF
00012930 IF (DV(1,VNUMB).EQ.0) GO TO 1310
00012940 WRITE (6,1260) I-1,NAMES(VNUMB)
00012950 1260 FORMAT (//," YEAR",I3,IX,A6)
00012960 WRITE (6,1270)
00012970 1270 FORMAT ("0+---+","2(19("-"),"+"),
12980 &/" : :,"5X,"NON-NATIVE",4X,"":",7X,"NATIVE",6X,"":",
00012990 &/" :AGE+","4(9("-"),"+"),
00013000 &/" : :","2(" MALES : FEMALES :")
00013010 WRITE (6,1284)
00013020 1284 FORMAT (" +---+","4(9("-"),"+")
00013030 DO 1290 J=1,DV(1,VNUMB)
13040 1290 WRITE (6,1300) J,
13050 & (BUFF(TABLE(VNUMB)+(J-1)+(K-1)*DV(1,VNUMB)),K=1,4)
13070 1300 FORMAT (" :",I2," :","4(F8.0," :")
00013080 WRITE (6,1284)
00013090 GO TO 1330
00013100 1310 WRITE (6,1320) I-1,NAMES(VNUMB),BUFF(TABLE(VNUMB))
13110 1320 FORMAT (" YEAR",I3,IX,A6,"=",F8.0)
00013120 1330 CONTINUE
00013130 1340 CONTINUE
00013140 GO TO 125
00013150 1350 PRINT, "INVALID COMMAND"
00013160 1360 STOP
00013170 END

```

REAL FUNCTION GET3(LABEL,VARNM, A,S,R,PERIOD)

```

13180
13190C
13200C -"GET" IS A LAGGED VARIABLE (VARNM) WHICH HAS AGE (A)
13210C RACE (R), AND SEX (S) COHORTS. PERIOD IS AMOUNT OF LAG,
13220C I.E. 0 = THIS PERIOD, -1 = LAST PERIOD. LABEL IS
13230C A TRACER BACK TO CALLING PROGRAM
13240 REAL XMISS
13250 INTEGER CHKSUM,IND
13260 CHARACTER NAMES*6(119)
13270 REAL BUFF(1800),BUFF2(1800)
13280 INTEGER DV(3,119),TABLE(119)
13290 COMMON/BLANK/ICOM,PIB,XMISS
13300 COMMON/BUFFER/BUFF,BUFF2,DV,TABLE,NAMES
13310 INTEGER A,S,R,AL,SL,RL,VARNM,PERIOD,INDEX,PIB,ICOM
13320 CHARACTER LABEL*6
13330 AL=DV(1,VARNM)
13340 SL=DV(2,VARNM)
13350 RL=DV(3,VARNM)
13360 CHKSUM=AL*SL*RL
13370 IND=A+AL*(S-1)+AL*SI*(R-1)-1
13380 IF (CHKSUM.NE.0) GO TO 5
13390 PRINT, "CHECKSUM ERROR 1", LABEL, VARNM
13400 IF (IND.LE.CHKSUM) GO TO 5
13410 PRINT, "CHECKSUM ERROR 2", LABEL,VARNM,A,S,R
13420 5 INDEX=IND+TABLE(VARNM)
13430 IF (PERIOD.EQ.0) GO TO 10
13440 IF (PIB.NE.(ICOM+PERIOD)) READ (9,(ICOM+PERIOD)) BUFF2

```

```

134500 GET3=BUFF2(INDEX)
134600 GO TO 20
134700 10 GET3=BUFF(INDEX)
134800 20 IF (GET3.GT.XMISS) RETURN
134900 PRINT, LABEL, NAMES(VARNMB),A,S,R,(ICOM+PERIOD)
135000 PRINT, "TRIED TO USE UNINITIALIZED VARIABLE"
135100 GET3=0.0
135200 RETURN
135300 END
135400 REAL FUNCTION GET(LABEL,VARNMB,PERIOD)
135500C --- "GET" IS A LAGGED VARIABLE (VARNMB). PERIOD IS AMOUNT
135600C OF LAG. I.E. 0 = THIS PERIOD, -1 = LAST PERIOD.
135700C LABEL IS A TRACER BACK TO MAIN PROGRAM
135800C REAL XMISS
135900 CHARACTER NAMES*6(119)
136000 REAL BUFF(1800),BUFF2(1800)
136100 INTEGER DV(3,119),TABLE(119)
136200 COMMON/BLANK/ICOM,PIB,XMISS
136300 COMMON/BUFFER/BUFF,BUFF2,DV,TARIE,NAMES
136400 10 INTEGER VARNMB,PERIOD,INDEX,PIR,ICOM
136500 CHARACTER LABEL*6
136600 INDEX=TABLE(VARNMB)
136700 IF (PERIOD.EQ.0) GO TO 10
136800 IF (PIB.NE.(ICOM+PERIOD)) READ (9*(ICOM+PERIOD)) BUFF2
136900 GET=BUFF2(INDEX)
137000 GO TO 20
137100 10 GET=BUFF(INDEX)
137200 20 IF (GET.GT.XMISS) RETURN
137300 PRINT, LABEL,NAMES(VARNMB),(ICOM+PERIOD)
137400 PRINT, "TRIED TO USE UNINITIALIZED VARIABLE"
137500 GET = 0.0
137600 RETURN
137700 END
137800

```

APPENDIX B

OUTPUT FROM SMALL COMMUNITY IMPACT MODEL

YEAR 1 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	63.	65.	339.	284.
2	66.	79.	361.	322.
3	66.	72.	377.	322.
4	57.	54.	377.	322.
5	166.	69.	237.	305.
6	155.	85.	185.	211.
7	97.	47.	151.	148.
8	76.	36.	143.	120.
9	64.	33.	123.	120.
10	61.	33.	124.	110.
11	47.	35.	93.	93.
12	41.	21.	93.	81.
13	25.	11.	50.	50.
14	38.	18.	121.	113.

YEAR 1 BASPP = 6892.

YEAR 1 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0.	0.	0.	0.
2	0.	0.	0.	0.
3	0.	0.	0.	0.
4	0.	0.	0.	0.
5	0.	0.	0.	0.
6	0.	0.	0.	0.
7	0.	0.	0.	0.
8	0.	0.	0.	0.
9	0.	0.	0.	0.
10	0.	0.	0.	0.
11	0.	0.	0.	0.
12	0.	0.	0.	0.
13	0.	0.	0.	0.
14	0.	0.	0.	0.

YEAR 1 DPOPD = 0.

YEAR 1 OPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0.	0.	0.	0.
2	0.	0.	0.	0.
3	0.	0.	0.	0.
4	0.	0.	0.	0.
5	0.	0.	0.	0.
6	0.	0.	0.	0.
7	0.	0.	0.	0.
8	0.	0.	0.	0.
9	0.	0.	0.	0.
10	0.	0.	0.	0.
11	0.	0.	0.	0.
12	0.	0.	0.	0.
13	0.	0.	0.	0.
14	0.	0.	0.	0.
YEAR	1 OPOP	=	0.	

YEAR 1 SPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0.	0.	0.	0.
2	0.	0.	0.	0.
3	0.	0.	0.	0.
4	0.	0.	0.	0.
5	0.	0.	0.	0.
6	0.	0.	0.	0.
7	0.	0.	0.	0.
8	0.	0.	0.	0.
9	0.	0.	0.	0.
10	0.	0.	0.	0.
11	0.	0.	0.	0.
12	0.	0.	0.	0.
13	0.	0.	0.	0.
14	0.	0.	0.	0.
YEAR	1 SPOP	=	0.	



YEAR 1 TOTPO

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	63.	65.	339.	284.
2	69.	79.	361.	300.
3	65.	72.	377.	300.
4	57.	54.	339.	255.
5	166.	69.	237.	211.
6	155.	85.	135.	129.
7	97.	71.	141.	126.
8	76.	36.	114.	120.
9	64.	31.	112.	110.
10	61.	37.	125.	93.
11	47.	55.	93.	91.
12	41.	21.	50.	39.
13	25.	11.	55.	30.
14	38.	13.	121.	110.
YEAR 1 TOTPO =	6292.			

YEAR 5 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	51.	53.	297.	287.
2	46.	54.	252.	250.
3	45.	54.	247.	259.
4	42.	53.	171.	206.
5	125.	63.	257.	203.
6	162.	73.	249.	210.
7	114.	54.	163.	125.
8	71.	36.	120.	95.
9	58.	26.	103.	90.
10	49.	27.	83.	78.
11	42.	28.	87.	71.
12	35.	21.	72.	61.
13	23.	12.	45.	49.
14	47.	23.	132.	135.
YEAR 5 BASP =	6109.			

YEAR 5 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	45.	45.	0.	0.
2	31.	31.	0.	0.
3	29.	29.	0.	0.
4	86.	27.	0.	0.
5	84.	35.	0.	0.
6	111.	37.	0.	0.
7	140.	35.	0.	0.
8	53.	16.	0.	0.
9	47.	12.	0.	0.
10	40.	13.	0.	0.
11	40.	10.	0.	0.
12	24.	7.	0.	0.
13	13.	4.	0.	0.
14	3.	1.	0.	0.

YEAR 5 DPOP = 1048.

YEAR 5 CPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	34.	34.	0.	0.
2	26.	26.	0.	0.
3	23.	23.	0.	0.
4	29.	22.	0.	0.
5	24.	11.	0.	0.
6	45.	23.	0.	0.
7	60.	31.	0.	0.
8	26.	13.	0.	0.
9	18.	9.	0.	0.
10	9.	5.	0.	0.
11	8.	4.	0.	0.
12	3.	3.	0.	0.
13	3.	1.	0.	0.
14	1.	0.	0.	0.

YEAR 5 CPOP = 519.

YEAR 5 SPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	186.	185.	0.	0.
2	83.	23.	0.	0.
3	71.	71.	0.	0.
4	106.	70.	0.	0.
5	88.	45.	0.	0.
6	171.	77.	0.	0.
7	223.	102.	0.	0.
8	82.	43.	0.	0.
9	63.	29.	0.	0.
10	31.	15.	0.	0.
11	28.	13.	0.	0.
12	18.	9.	0.	0.
13	10.	4.	0.	0.
14	3.	2.	0.	0.

YEAR 5 SPOP = 1909.

YEAR 5 TOTPO

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	520.	523.	297.	297.
2	318.	326.	252.	250.
3	288.	297.	247.	259.
4	379.	282.	171.	306.
5	389.	215.	259.	293.
6	627.	328.	249.	210.
7	712.	370.	163.	125.
8	285.	154.	123.	95.
9	233.	116.	108.	80.
10	150.	78.	103.	79.
11	139.	72.	87.	71.
12	94.	50.	72.	61.
13	55.	27.	49.	43.
14	62.	33.	132.	123.

YEAR 5 TOTPO = 10201.

YEAR 10 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	49.	50.	297.	310.
2	39.	44.	214.	233.
3	34.	41.	172.	191.
4	33.	47.	106.	229.
5	36.	65.	214.	204.
6	106.	76.	232.	276.
7	153.	57.	203.	159.
8	122.	42.	145.	104.
9	82.	29.	106.	79.
10	64.	24.	90.	68.
11	46.	23.	75.	57.
12	37.	19.	52.	32.
13	31.	12.	41.	32.
14	21.	12.	137.	147.
14	56.	32.		

YEAR 10 BASP = 5801.

YEAR 10 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	191.	191.	0.	0.
2	134.	134.	0.	0.
3	123.	123.	0.	0.
4	368.	116.	0.	0.
5	362.	150.	0.	0.
6	479.	160.	0.	0.
7	602.	149.	0.	0.
8	227.	68.	0.	0.
9	201.	51.	0.	0.
10	171.	41.	0.	0.
11	171.	30.	0.	0.
12	105.	18.	0.	0.
13	55.	5.	0.	0.
14	22.	5.	0.	0.

YEAR 10 DPOP = 4506.

```

00011360C
00011400C-----EQUATION 4.29.5
00011410      SEMM=0.0
00011420      DO 1060 AA=1,LA; A=AA
00011430      DO 1060 SS=1,LS; S=SS
00011440      DO 1060 RR=1,LR; R=RR
11450 1060 SEMM=SEMM+SEM(A,S,R)
00011460C
00011470C-----UNEMPLOYED MIGRANTS
00011480C
00011490C-----EQUATION 5.1
00011500C
11510      DLE=DEMP-DEMG
00011520C
00011530C-----EQUATION 5.2
00011540C
11550      OLE=OEMP-(TOEM+OENR)
00011560C
00011570C-----EQUATION 5.3
00011580C
11590      SLE=STE-(TE-TE2)
11600      IF (S1.GE.0.0) SLE=STF-S1-(TE-TE2)
00011650C
00011660C-----EQUATION 5.3.5
00011670C
11680      TLE=DLE+OLE+SLE
00011690C
00011700C-----EQUATION 5.4
00011710C
11720      U3=U2*(1.-P7*STE/LS3)
11730      IF (S1.GE.0.0) U3=U2*(1.-P7)
11731C
11732C-----EQUATION 5.4.5
11733C
11734      NLF3=NLF2*(1.-P8*STE/LS3)
11735      IF (S1.GE.0.0) NLF3=NLF3*(1.-P8)
00011740C
00011750C-----EQUATION 5.5
00011760C
11770      UMG=Y1*(UC*(LF+BEMG+NLF-NLF3)-(13)
00011790C
00011800C-----EQUATION 5.6
00011810C
11820      UDM=UMG*UDEP
00011830C
00011840C-----EQUATION 5.7
00011850C
11860      UM=UMG+UDM
00011870C
00011880C-----SUMATION
00011890C
00011900C-----EQUATION 6.1
00011910C
11920      TOCSP=OPOPP+DPOPP+SPOPP+UM
00011940C
00011950C-----EQUATION 6.2
00011960C
11970      TOTPOP=RASPP+TOCSP
00011980C
00011990C-----EQUATION 6.3
00012000C
00012010      DO 1080 AA=1,LA; A=AA
00012020      DO 1080 SS=1,LS; S=SS
00012030      DO 1080 RR=1,LR; R=RR
12040 1080 TOTPP(A,S,R)=OPOP(A,S,R)+DPOP(A,S,R)+SPOP(A,S,R)+BASP(A,S,R)
12050      & +UM*X2(A,S,R)
00012070C-----EQUATION 6.4
00012080C

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YEAR 17 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	16.	16.	0.	0.

YEAR 18 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	17.	16.	0.	0.

YEAR 19 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	16.	16.	0.	0.

YEAR 20 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	16.	16.	0.	0.

YEAR 1	S	S	0.
YEAR 2	S	S	0.
YEAR 3	S	S	0.
YEAR 4	S	S	0.
YEAR 5	S	S	305.
YEAR 6	S	S	492.
YEAR 7	S	S	659.
YEAR 8	S	S	618.
YEAR 9	S	S	1307.
YEAR 10	S	S	1314.
YEAR 11	S	S	2009.
YEAR 12	S	S	1959.
YEAR 13	S	S	2025.
YEAR 14	S	S	1708.
YEAR 15	S	S	1481.
YEAR 16	S	S	1437.
YEAR 17	S	S	1472.
YEAR 18	S	S	1505.
YEAR 19	S	S	1513.
YEAR 20	S	S	1515.
YEAR 21	S	S	0.
YEAR 22	S	S	0.
YEAR 23	S	S	26.
YEAR 24	S	S	81.
YEAR 25	S	S	103.
YEAR 26	S	S	133.
YEAR 27	S	S	187.

YEAR 11 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	42.	42.	0.	0.

YEAR 12 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	25.	25.	0.	0.

YEAR 13 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	25.	25.	0.	0.

YEAR 14 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	11.	10.	0.	0.

YEAR 15 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	8.	8.	0.	0.

YEAR 16 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	12.	12.	0.	0.

YEAR 1A TO 10B = 408.

YEAR 5 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	12.	12.	0.	0.

YEAR 6 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	12.	12.	0.	0.

YEAR 7 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	13.	0.	0.

YEAR 8 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 9 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	34.	33.	0.	0.

YEAR 10 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	19.	19.	0.	0.

YEAR 11 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	408	408	0	0
2	408	408	0	0
3	408	408	0	0
4	408	408	0	0
5	0	0	0	0
6	0	0	0	0
7	0	0	0	0
8	0	0	0	0
9	0	0	0	0
10	0	0	0	0
11	0	0	0	0
12	0	0	0	0
13	0	0	0	0
14	0	0	0	0
15	0	0	0	0
16	0	0	0	0
17	0	0	0	0
18	0	0	0	0
19	0	0	0	0
20	0	0	0	0

YEAR 1 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0	0	0	0

YEAR 2 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0	0	0	0

YEAR 3 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0	0	0	0

YEAR 4 SBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0	0	0	0





YEAR 15 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 16 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 17 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 18 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 19 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR 20 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	7.	7.	0.	0.

YEAR	1	0	SEPT	=	0.
YEAR	2	0	SEPT	=	0.
YEAR	3	0	SEPT	=	0.
YEAR	4	0	SEPT	=	3.
YEAR	5	1	SEPT	=	3.
YEAR	6	1	SEPT	=	3.

YEAR 9 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	10.	10.	0.	0.

YEAR 10 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	8.	8.	0.	0.

YEAR 11 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	6.	6.	0.	0.

YEAR 12 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	8.	8.	0.	0.

YEAR 13 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	8.	8.	0.	0.

YEAR 14 CBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	8.	7.	0.	0.

YEAR 3 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	0.	0.	0.	0.

YEAR 4 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	1.	1.	0.	0.

YEAR 5 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	3.	3.	0.	0.

YEAR 6 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	4.	4.	0.	0.

YEAR 7 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	5.	5.	0.	0.

YEAR 8 OBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	12.	12.	0.	0.

















AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	85.	84.

YEAR 16 88TH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	84.	83.

YEAR 17 88TH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	83.	82.

YEAR 18 88TH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	13.	81.	80.

YEAR 19 88TH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	80.	79.

YEAR 20 88TH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	79.	78.

YEAR	1	EML	=	348.
YEAR	2	EML	=	338.
YEAR	3	EML	=	324.
YEAR	4	EML	=	313.
YEAR	5	EML	=	305.
				269.

YEAR 11 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	99.	98.

YEAR 12 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	88.	87.

YEAR 13 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	87.	86.

YEAR 14 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	86.	85.

YEAR 7 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	13.	91.	89.

YEAR 8 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	91.	90.

YEAR 9 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	13.	91.	90.

YEAR 10 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	13.	13.	90.	89.

YEAR 3 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	95.	84.

YEAR 4 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	87.	86.

YEAR 5 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	39.	88.

YEAR 6 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	13.	20.	89.

YEAR 7 BBTH

YEAR 20 TOTPP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	817.	817.	273.	287.
2	470.	472.	199.	225.
3	403.	405.	143.	170.
4	645.	387.	78.	155.
5	671.	336.	151.	224.
6	1116.	504.	243.	266.
7	1452.	579.	214.	204.
8	843.	295.	181.	145.
9	704.	233.	138.	94.
10	500.	163.	104.	69.
11	410.	129.	75.	50.
12	279.	91.	55.	35.
13	172.	56.	35.	22.
14	96.	60.	134.	148.

YEAR 20 TOTPOP= 15099.

YEAR 1 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	79.	79.

YEAR 2 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	15.	15.	83.	82.



AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	817.	817.	273.	297.
2	470.	472.	199.	225.
3	403.	405.	143.	170.
4	645.	638.	176.	145.
5	671.	636.	151.	224.
6	1116.	1004.	242.	256.
7	1452.	1379.	214.	204.
8	843.	835.	131.	146.
9	704.	716.	110.	104.
10	500.	463.	10.	56.
11	410.	429.	75.	50.
12	279.	291.	55.	35.
13	172.	156.	35.	27.
14	96.	60.	134.	148.

YEAR 20 TOTPOP = 15099.

YEAR 1 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	14.	14.	79.	78.

YEAR 2 BBTH

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	15.	15.	93.	82.

YEAR 20 CPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	46.	46.	0.	0.
2	43.	43.	0.	0.
3	42.	42.	0.	0.
4	48.	40.	0.	0.
5	40.	27.	0.	0.
6	61.	35.	0.	0.
7	85.	46.	0.	0.
8	61.	33.	0.	0.
9	48.	26.	0.	0.
10	33.	18.	0.	0.
11	25.	14.	0.	0.
12	18.	10.	0.	0.
13	12.	7.	0.	0.
14	1.	0.	0.	0.

YEAR 20 CPOP = 952.

YEAR 20 SPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	314.	313.	0.	0.
2	118.	118.	0.	0.
3	81.	82.	0.	0.
4	166.	84.	0.	0.
5	197.	64.	0.	0.
6	403.	116.	0.	0.
7	614.	165.	0.	0.
8	469.	103.	0.	0.
9	382.	80.	0.	0.
10	271.	52.	0.	0.
11	204.	40.	0.	0.
12	145.	28.	0.	0.
13	95.	18.	0.	0.
14	3.	3.	0.	0.

YEAR 20 SPOP = 4726.

YEAR 20 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	52.	52.	273.	287.
2	41.	43.	199.	225.
3	34.	36.	143.	170.
4	36.	39.	75.	145.
5	108.	67.	151.	224.
6	157.	85.	243.	256.
7	125.	82.	214.	202.
8	94.	99.	131.	146.
9	80.	99.	138.	82.
10	57.	31.	124.	44.
11	42.	25.	75.	50.
12	32.	18.	55.	35.
13	21.	12.	35.	22.
14	70.	46.	134.	148.

YEAR 20 BASPP = 5683.

YEAR 20 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	123.	123.	0.	0.
2	86.	86.	0.	0.
3	79.	79.	0.	0.
4	236.	75.	0.	0.
5	232.	96.	0.	0.
6	307.	103.	0.	0.
7	386.	96.	0.	0.
8	146.	44.	0.	0.
9	129.	32.	0.	0.
10	110.	37.	0.	0.
11	110.	26.	0.	0.
12	67.	19.	0.	0.
13	35.	11.	0.	0.
14	14.	4.	0.	0.

YEAR 20 DPOPC = 2888.

YEAR 20 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	52.	52.	273.	297.
2	41.	43.	199.	225.
3	34.	36.	143.	170.
4	36.	39.	75.	165.
5	108.	67.	151.	224.
6	194.	89.	243.	256.
7	125.	68.	214.	204.
8	94.	52.	131.	146.
9	80.	39.	138.	84.
10	57.	31.	104.	66.
11	42.	23.	73.	50.
12	32.	18.	55.	35.
13	21.	12.	35.	22.
14	70.	46.	134.	148.

YEAR 20 BASPD = 5683.

YEAR 20 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	123.	123.	0.	0.
2	86.	86.	0.	0.
3	79.	79.	0.	0.
4	236.	75.	0.	0.
5	232.	96.	0.	0.
6	307.	103.	0.	0.
7	386.	96.	0.	0.
8	146.	44.	0.	0.
9	129.	32.	0.	0.
10	110.	37.	0.	0.
11	110.	26.	0.	0.
12	67.	19.	0.	0.
13	35.	11.	0.	0.
14	14.	4.	0.	0.

YEAR 20 DPOPD = 2988.

YEAR 15 SPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	256.	255.	0.	0.
2	97.	97.	0.	0.
3	62.	62.	0.	0.
4	131.	62.	0.	0.
5	179.	50.	0.	0.
6	375.	98.	0.	0.
7	602.	144.	0.	0.
8	525.	98.	0.	0.
9	393.	75.	0.	0.
10	254.	45.	0.	0.
11	176.	32.	0.	0.
12	124.	22.	0.	0.
13	81.	14.	0.	0.
14	3.	2.	0.	0.

YEAR 15 SPOP = 4316.

YEAR 15 TOTPP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	746.	746.	239.	303.
2	440.	443.	206.	232.
3	376.	380.	190.	175.
4	596.	362.	83.	182.
5	636.	316.	172.	255.
6	1065.	472.	266.	344.
7	1414.	544.	220.	200.
8	888.	283.	171.	130.
9	701.	221.	122.	79.
10	469.	149.	92.	53.
11	370.	116.	70.	49.
12	250.	81.	53.	39.
13	154.	50.	37.	26.
14	88.	53.	135.	149.

YEAR 15 TOTPOP = 14559.

YEAR 15 DPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	116.	116.	0.	0.
2	81.	81.	0.	0.
3	75.	75.	0.	0.
4	224.	71.	0.	0.
5	220.	91.	0.	0.
6	291.	97.	0.	0.
7	366.	91.	0.	0.
8	138.	42.	0.	0.
9	122.	31.	0.	0.
10	104.	35.	0.	0.
11	104.	25.	0.	0.
12	64.	13.	0.	0.
13	33.	11.	0.	0.
14	13.	3.	0.	0.
YEAR 15 DPOP =	2740.			

YEAR 15 OPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	47.	47.	0.	0.
2	45.	45.	0.	0.
3	44.	44.	0.	0.
4	50.	42.	0.	0.
5	41.	28.	0.	0.
6	62.	36.	0.	0.
7	87.	43.	0.	0.
8	63.	35.	0.	0.
9	49.	27.	0.	0.
10	32.	13.	0.	0.
11	23.	13.	0.	0.
12	16.	9.	0.	0.
13	10.	6.	0.	0.
14	1.	0.	0.	0.
YEAR 15 OPOP =	967.			

YEAR 10 TOTPO

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	1244.	1245.	297.	310.
2	728.	733.	214.	223.
3	631.	638.	172.	181.
4	974.	903.	105.	226.
5	931.	482.	214.	204.
6	1536.	751.	232.	276.
7	1961.	849.	205.	169.
8	928.	371.	145.	104.
9	703.	283.	106.	79.
10	454.	181.	90.	61.
11	398.	150.	75.	58.
12	262.	104.	62.	47.
13	150.	61.	41.	32.
14	99.	55.	137.	147.

YEAR 10 TOTPOP = 19415.

YEAR 15 BASP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	49.	50.	283.	303.
2	39.	42.	206.	232.
3	32.	36.	150.	175.
4	34.	41.	83.	182.
5	103.	67.	172.	255.
6	149.	82.	268.	284.
7	122.	62.	220.	200.
8	89.	46.	171.	130.
9	73.	34.	122.	79.
10	50.	27.	92.	58.
11	38.	22.	70.	40.
12	30.	13.	55.	39.
13	20.	12.	37.	26.
14	64.	39.	136.	149.

YEAR 15 BASPP = 5703.

YEAR 10 OPOP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	39.	39.	0.	0.
2	44.	44.	0.	0.
3	41.	41.	0.	0.
4	42.	37.	0.	0.
5	34.	35.	0.	0.
6	49.	30.	0.	0.
7	72.	42.	0.	0.
8	59.	34.	0.	0.
9	38.	22.	0.	0.
10	23.	13.	0.	0.
11	16.	9.	0.	0.
12	11.	7.	0.	0.
13	7.	4.	0.	0.
14	0.	0.	0.	0.

YEAR 10 OPOP = 819.

YEAR 10 SPCP

AGE	NON-NATIVE		NATIVE	
	MALES	FEMALES	MALES	FEMALES
1	641.	640.	0.	0.
2	305.	305.	0.	0.
3	243.	243.	0.	0.
4	345.	232.	0.	0.
5	320.	148.	0.	0.
6	637.	280.	0.	0.
7	889.	366.	0.	0.
8	475.	155.	0.	0.
9	326.	118.	0.	0.
10	181.	58.	0.	0.
11	141.	49.	0.	0.
12	95.	32.	0.	0.
13	57.	18.	0.	0.
14	11.	9.	0.	0.

YEAR 10 SPCP = 7317.





